# Compilation <br> 0368-3133 

Lecture 6:
Attribute Grammars
IR
Noam Rinetzky

## Context Analysis

- Identification
- Gather information about each named item in the program
- e.g., what is the declaration for each usage
- Context checking
- Type checking
- e.g., the condition in an if-statement is a Boolean


## Symbol table

```
month : integer RANGE [1..12];
month := 1;
while (month <= 12) {
    print(month_name[month]);
        month : = month + 1;
}
```

| name | pos | type | $\ldots$ |
| :--- | :--- | :--- | :--- |
| month | 1 | RANGE[1..12] |  |
| month_name | $\ldots$ | $\ldots$ |  |
| $\ldots$ |  |  |  |

- A table containing information about identifiers in the program
- Single entry for each named item


## Semantic Checks

- Scope rules
- Use symbol table to check that
- Identifiers defined before used
- No multiple definition of same identifier
- ...
- Type checking
- Check that types in the program are consistent
- How?
- Why?


## Scope Info



Scope stack

## Type System

- A type system of a programming language is a way to define how "good" program "behave"
- Good programs = well-typed programs
- Bad programs = not well typed
- Type checking
- Static typing - most checking at compile time
- Dynamic typing - most checking at runtime
- Type inference
- Automatically infer types for a program (or show that there is no valid typing)


## Typing Rules

## If E1 has type int and E2 has type int, then E1 + E2 has type int

E1: int E2: int<br>E1 + E2 : int

## So far...

- Static correctness checking
- Identification
- Type checking
- Identification matches applied occurrences of identifier to its defining occurrence
- The symbol table maintains this information
- Type checking checks which type combinations are legal
- Each node in the AST of an expression represents either an l-value (location) or an r-value (value)


## How does this magic happen?

- We probably need to go over the AST?
- how does this relate to the clean formalism of the parser?


## Syntax Directed Translation

- Semantic attributes
- Attributes attached to grammar symbols
- Semantic actions
- How to update the attributes
- Attribute grammars


## Attribute grammars

- Attributes
- Every grammar symbol has attached attributes
- Example: Expr.type
- Semantic actions
- Every production rule can define how to assign values to attributes
- Example:

$$
\begin{aligned}
& \text { Expr } \rightarrow \text { Expr }+ \text { Term } \\
& \text { Expr.type }=\text { Expr1.type when (Expr1.type }==\text { Term.type }) \\
& \text { Error otherwise }
\end{aligned}
$$

## Indexed symbols

- Add indexes to distinguish repeated grammar symbols
- Does not affect grammar
- Used in semantic actions
- Expr $\rightarrow$ Expr + Term Becomes Expr $\rightarrow$ Expr1 + Term


## Example



| Production | Semantic Rule |
| :--- | :--- |
| $\mathrm{D} \rightarrow$ T L | L.in $=$ T.type |
| $\mathrm{T} \rightarrow$ int | T.type = integer |
| $\mathrm{T} \rightarrow$ float | T.type $=$ float |
| L $\rightarrow$ L1, id | L1.in $=$ L.in <br> addType(id.entry,L.in) |
| $\mathrm{L} \rightarrow$ id | addType(id.entry,L.in) |

## Attribute Evaluation

- Build the AST
- Fill attributes of terminals with values derived from their representation
- Execute evaluation rules of the nodes to assign values until no new values can be assigned
- In the right order such that
- No attribute value is used before its available
- Each attribute will get a value only once


## Dependencies

- A semantic equation $a=b 1, \ldots, b m$ requires computation of $b 1, \ldots, b m$ to determine the value of a
- The value of a depends on $b 1, \ldots, b m$
- We write a $\rightarrow$ bi


## Cycles

- Cycle in the dependence graph
- May not be able to compute attribute values


AST


Dependence graph

$$
\begin{aligned}
& \text { E.s = T.i } \\
& \text { T. } \mathrm{i}=\mathrm{E} . \mathrm{s}+1
\end{aligned}
$$

## Attribute Evaluation

- Build the AST
- Build dependency graph
- Compute evaluation order using topological ordering
- Execute evaluation rules based on topological ordering
- Works as long as there are no cycles


## Building Dependency Graph

- All semantic equations take the form
attr1 = func1(attr1.1, attr1.2,...)
attr2 = func2(attr2.1, attr2.2,...)
- Actions with side effects use a dummy attribute
- Build a directed dependency graph G
- For every attribute a of a node n in the AST create a node n.a
- For every node n in the AST and a semantic action of the form $b=f(c 1, c 2, \ldots c k)$ add edges of the form ( $\mathrm{ci}, \mathrm{b}$ )

| Production | Semantic Rule |
| :--- | :--- |
| $\mathrm{D} \rightarrow \mathrm{T}$ L | L.in = T.type |
| $\mathrm{T} \rightarrow$ int | T.type = integer |
| $\mathrm{T} \rightarrow$ float | T.type = float |
| $\mathrm{L} \rightarrow$ L1, id | L1.in $=$ L.in <br> addType(id.entry,L.in) |
| $L \rightarrow$ id | addType(id.entry,L.in) |

Convention:
Add dummy variables for side effects.

| Production | Semantic Rule |
| :--- | :--- |
| $\mathrm{D} \rightarrow \mathrm{T}$ L | L.in = T.type |
| $\mathrm{T} \rightarrow$ int | T.type = integer |
| $\mathrm{T} \rightarrow$ float | T.type = float |
| $\mathrm{L} \rightarrow$ L1, id | L1.in $=$ L.in <br> L.dmy $=$ addType(id.entry,L.in) |
| $L \rightarrow$ id | L.dmy = addType(id.entry, L.in) |

## Example



## Example



## Topological Order

- For a graph $G=(V, E),|V|=k$
- Ordering of the nodes v1,v2,...vk such that for every edge ( $\mathrm{vi}, \mathrm{vj}$ ) $\in \mathrm{E}, \mathrm{i}<\mathrm{j}$


Example topological orderings: 14325,41352

## Example



## But what about cycles?

- For a given attribute grammar hard to detect if it has cyclic dependencies
- Exponential cost
- Special classes of attribute grammars
- Our "usual trick"
- sacrifice generality for predictable performance


## Inherited vs. Synthesized Attributes

- Synthesized attributes
- Computed from children of a node
- Inherited attributes
- Computed from parents and siblings of a node
- Attributes of tokens are technically considered as synthesized attributes


## example



| Production | Semantic Rule |
| :--- | :--- |
| $\mathrm{D} \rightarrow \mathrm{T}$ L | L.in $=$ T.type |
| $\mathrm{T} \rightarrow$ int | T.type = integer |
| $\mathrm{T} \rightarrow$ float | T.type $=$ float |
| L $\rightarrow$ L1, id | L1.in $=$ L.in <br> addType(id.entry,L.in) |
| L $\rightarrow$ id | addType(id.entry,L.in) |

inherited
$\longrightarrow$ synthesized

## S-attributed Grammars

- Special class of attribute grammars
- Only uses synthesized attributes (S-attributed)
- No use of inherited attributes
- Can be computed by any bottom-up parser during parsing
- Attributes can be stored on the parsing stack
- Reduce operation computes the (synthesized) attribute from attributes of children


## S-attributed Grammar: example

| Production | Semantic Rule |
| :--- | :--- |
| $\mathrm{S} \rightarrow \mathrm{E} ;$ | print(E.val) |
| $\mathrm{E} \rightarrow \mathrm{E} 1+\mathrm{T}$ | E.val $=$ E1.val + T.val |
| $\mathrm{E} \rightarrow \mathrm{T}$ | E.val $=$ T.val |
| $\mathrm{T} \rightarrow$ T1 * F | T.val $=$ T1.val * F.val |
| $\mathrm{T} \rightarrow \mathrm{F}$ | T.val $=$ F.val |
| $\mathrm{F} \rightarrow$ (E) | F.val $=$ E.val |
| $\mathrm{F} \rightarrow$ digit | F.val $=$ digit.lexval |

## example



## L-attributed grammars

- L-attributed attribute grammar when every attribute in a production $A \rightarrow X 1$... Xn is
- A synthesized attribute, or
- An inherited attribute of $\mathrm{Xj}, 1$ <= j <=n that only depends on
- Attributes of $\mathrm{X} 1 . . . \mathrm{Xj}-1$ to the left of Xj , or
- Inherited attributes of A


## Example: typesetting



- Each box is built from smaller boxes from which it gets the height and depth, and to which it sets the point size.
- pointsize (ps) - size of letters in a box. Subscript text has smaller point size of 0.7 p .
- height (ht) - distance from top of the box to the baseline
- depth (dp) - distance from baseline to the bottom of the box.


## Example: typesetting

| production | semantic rules |
| :---: | :---: |
| $S \rightarrow B$ | B.ps $=10$ |
| $\mathrm{B} \rightarrow \mathrm{B} 1 \mathrm{~B} 2$ | $\begin{aligned} & \text { B1.ps }=\text { B.ps } \\ & \text { B2.ps }=\text { B.ps } \\ & \text { B.ht }=\max (\text { B1.ht,B2.ht }) \\ & \text { B.dp }=\max (\text { B1.dp,B2.dp }) \end{aligned}$ |
| $B \rightarrow B 1$ sub B2 | $\begin{aligned} & \text { B1.ps }=\text { B.ps } \\ & \text { B2.ps }=0.7^{*} \text { B.ps } \\ & \text { B.ht }=\max \left(\text { B1.ht }, \text { B2.ht }-0.25^{*} \text { B.ps }\right) \\ & \text { B. dp }=\max \left(\text { B1.dp,B2.dp }-0.25^{*} \text { B.ps }\right) \end{aligned}$ |
| $\mathrm{B} \rightarrow$ text | B.ht $=$ getHt(B.ps,text.lexval) <br> B.dp $=$ getDp(B.ps,text.lexval) |

Computing the attributes from left to right during a DFS traversal
procedure dfvisit (n: node);
begin
for each child $m$ of $n$, from left to right begin
evaluate inherited attributes of $m$; dfvisit (m)
end;
evaluate synthesized attributes of $n$
end

## Summary

- Contextual analysis can move information between nodes in the AST
- Even when they are not "local"
- Attribute grammars
- Attach attributes and semantic actions to grammar
- Attribute evaluation
- Build dependency graph, topological sort, evaluate
- Special classes with pre-determined evaluation order: S-attributed, L-attributed


## The End

- Front-end


# Compilation 0368-3133 2014/15a Lecture 6a 



Getting into the back-end Noam Rinetzky

## But first, a short reminder



## What is a compiler?

"A compiler is a computer program that transforms source code written in a programming language (source language) into another language (target language).

The most common reason for wanting to transform source code is to create an executable program."
--Wikipedia

## Where we were



## Lexical Analysis



## From scanning to parsing



## Context Analysis




Semantic Error


Valid + Symbol Table

## Code Generation



Valid Abstract Syntax Tree Symbol Table

Verification (possible runtime) Errors/Warnings

$\longmapsto$ Executable Code

## What is a compiler?

"A compiler is a computer program that transforms source code written in a programming language (source language) into another language (target language).

The most common reason for wanting to transform source code is to create an executable program."

# A CPU is (a sort of) an Interpreter 

> "A compiler is a computer program that transforms source code written in a programming language (source language) into another language (target language).

The most common reason for wanting to transform source code is to create an executable program."

- Interprets machine code ...
- Why not AST?
- Do we want to go from AST directly to MC?
- We can, but ...
- Machine specific
- Very low level


## Code Generation in Stages



Valid Abstract Syntax Tree Symbol Table

Verification (possible runtime) Errors/Warnings


Intermediate Representation (IR)


## Where we are



## 1 Note: Compile Time vs Runtime

- Compile time: Data structures used during program compilation
- Runtime: Data structures used during program execution
- Activation record stack
- Memory management
- The compiler generates code that allows the program to interact with the runtime


Intermediate Representation

## Code Generation: IR

Bloliz

- Translating from abstract syntax (AST) to intermediate representation (IR)
- Three-Address Code


## Three-Address Code IR

- A popular form of IR
- High-level assembly where instructions have at most three operands


## IR by example

## Sub-expressions example

Source
int a;
int b;
int c;
int d;
$\mathrm{a}=\mathrm{b}+\mathrm{c}+\mathrm{d} ;$
b = a * $\mathbf{a}+\mathbf{b}^{*} \mathbf{b}$;

## IR

$$
\begin{aligned}
& \text { _t0 = b + c; } \\
& \text { a = _t0 + d; } \\
& \text { _t1 = a * } a ; \\
& \text { _t2 = b * b; } \\
& \text { b = _t1 + _t2; }
\end{aligned}
$$

## Sub-expressions example

Source
int a;
int b;
int c;
int d;
$\mathrm{a}=\mathrm{b}+\mathrm{c}+\mathrm{d} ;$
b $=\mathbf{a}$ * $\mathbf{a}+\mathbf{b}^{*} \mathbf{b}$;

## LIR (unoptimized)

$$
\begin{aligned}
& \quad \mathrm{t} 0=\mathrm{b}+\mathrm{c} ; \\
& \mathrm{a}=\_\mathrm{t} 0+\mathrm{d} ; \\
& \mathrm{t}^{\mathrm{t}}=\mathrm{a} * \mathrm{a} ; \\
& \mathrm{t} 2=\mathrm{b} * \mathrm{~b} ; \\
& \mathrm{b}=\_\mathrm{t} 1+\ldots \mathrm{t} 2 ;
\end{aligned}
$$

Temporaries explicitly store intermediate values resulting from sub-expressions

## Variable assignments

- var = constant ;
- $\operatorname{var}_{1}=\operatorname{var}_{2}$;
- $\operatorname{var}_{1}=$ var $_{2}$ op var ${ }_{3}$;
- var $_{1}=$ constant op var ${ }_{2}$;
- $\operatorname{var}_{1}=$ var $_{2}$ op constant ;
- var $=$ constant $_{1}$ op constant ${ }_{2}$;
- Permitted operators are +, -, *, /, \%


## Booleans

- Boolean variables are represented as integers that have zero or nonzero values
- In addition to the arithmetic operator, TAC supports <, ==, ||, and \&\&
- How might you compile the following?

$$
\mathrm{b}=(\mathrm{x}<=\mathrm{y}) ; \quad \left\lvert\, \begin{aligned}
& \mathrm{t0}=\mathrm{x}<\mathrm{y} \\
& \mathrm{t}=\mathrm{x}==\mathrm{y} \\
& \mathrm{~b}=\ldots \mathrm{t0}| | \quad \mathrm{t1}
\end{aligned}\right.
$$

## Unary operators

- How might you compile the following assignments from unary statements?



## Control flow instructions

- Label introduction _label_name:
Indicates a point in the code that can be jumped to
- Unconditional jump: go to instruction following label L Goto L;
- Conditional jump: test condition variable $t$; if 0 , jump to label $L$

IfZ $t$ Goto L;

- Similarly : test condition variable t; if not zero, jump to label L

IfNZ t Goto L;

## Control-flow example - conditions

$$
\begin{aligned}
& \text { int } x ; \\
& \text { int } y ; \\
& \text { int } z ; \\
& \text { if }(x<y) \\
& z=x ; \\
& \text { else } \\
& \quad z=y ; \\
& z=z * z ;
\end{aligned}
$$

## Control-flow example - loops

int $x$;
int $y$;
while ( $\mathrm{x}<\mathrm{y}$ ) \{
$\mathbf{x}=\mathbf{x}$ * 2;
\}
$\mathbf{y}=\mathbf{x} ;$
_LO:
t0 $=x<y ;$
IfZ to Goto L1;
$x=\bar{x} * 2 ;$
Goto 工0;
L1:

$$
\mathrm{y}=\mathrm{x} ;
$$

## Procedures / Functions

$$
\begin{aligned}
& \mathrm{p}()\{ \\
& \text { int } \mathrm{y}=1, \mathrm{x}=0 \text {; } \\
& \mathrm{x}=\mathrm{f}\left(\mathrm{a}_{1}, \ldots, \mathrm{a}_{\mathrm{n}}\right) \text {; } \\
& \text { print }(\mathrm{x}) ; \\
& \}
\end{aligned}
$$

- What happens in runtime?



## Memory Layout (popular convention)



High addresses

## A logical stack frame



Stack frame for function $f\left(a_{1}, \ldots, a_{n}\right)$

## Procedures / Functions

- A procedure call instruction pushes arguments to stack and jumps to the function label
 Push a1; ... Push an; Call f; Pop $\mathbf{x}$; // pop returned value, and copy to it
- Returning a value is done by pushing it to the stack (return $\mathbf{x}$;)

Push x;

- Return control to caller (and roll up stack) Return;


## Functions example

```
int SimpleFn(int z) {
    int x, y;
    x = x * y * z;
    return x;
}
void main() {
    int w;
    w = SimpleFunction(137);
}
```

_SimpleFn:
_t0 $=x$ * $y$;
_t1 $=$ _t0 * $z$;
$\mathbf{x}=-\mathrm{t}$;
Push x;
Return;
main:
t0 = 137;
Push _t0;
Call _SimpleFn;
Pop w;

## Memory access instructions

- Copy instruction: $a=b$
- Load/store instructions:

$$
a=* b \quad * a=b
$$

- Address of instruction $a=\& b$
- Array accesses:

$$
a=b[i] \quad a[i]=b
$$

- Field accesses:

$$
a=b[f] \quad a[f]=b
$$

- Memory allocation instruction:
a = alloc(size)
- Sometimes left out (e.g., malloc is a procedure in C)


## Memory access instructions

- Copy instruction: $a=b$
- Load/store instructions:

$$
\dot{a}=* \mathrm{~b} \quad * \mathrm{a}=\mathrm{b}
$$

- Address of instruction $a=\& b$
- Array accesses:

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a=b[i] \quad a[i]=b
$$

- Field accesses:

$$
a=b[f] \quad a[f]=b
$$

- Memory allocation instruction:
a = alloc(size)
- Sometimes left out (e.g., malloc is a procedure in C)


## Array operations

$$
\begin{aligned}
& \mathrm{x}:=\mathrm{y}[\mathrm{i}] \\
& \mathrm{t} 1:=\& \mathrm{y} \quad ; \mathrm{t} 1=\text { address-of } \mathrm{y} \\
& \mathrm{t} 2:=\mathrm{t} 1+\mathrm{i} \\
& \mathrm{x}: \mathrm{t} 2=\text { address of } \mathrm{y}[\mathrm{i}] \\
& \mathrm{x}:=\text { *t2 } \quad ; \text { loads the value located at } \mathrm{y}[\mathrm{i}]
\end{aligned}
$$

$$
x[i]:=y
$$

$$
\begin{array}{ll}
\mathrm{t} 1:=\& \mathrm{x} & ; \mathrm{t} 1=\operatorname{address}-\mathrm{of} \mathrm{x} \\
\mathrm{t} 2:=\mathrm{t} 1+\mathrm{i} & ; \mathrm{t} 2=\text { address of } \mathrm{x}[\mathrm{i}] \\
* \mathrm{t} 2:=\mathrm{y} & ; \text { store through pointer }
\end{array}
$$

## IR Summary

## Intermediate representation

- A language that is between the source language and the target language - not specific to any machine
- Goal 1: retargeting compiler components for different source languages/target machines



## Intermediate representation

- A language that is between the source language and the target language - not specific to any machine
- Goal 1: retargeting compiler components for different source languages/target machines
- Goal 2: machine-independent optimizer
- Narrow interface: small number of instruction types



## Multiple IRs

- Some optimizations require high-level structure
- Others more appropriate on low-level code
- Solution: use multiple IR stages



## AST vs. LIR for imperative languages

| Rich set of language constructs | An abstract machine language |
| :--- | :--- |
| Rich type system | Very limited type system |
| Declarations: types (classes, interfaces), <br> functions, variables | Only computation-related code |
| Control flow statements: if-then-else, <br> while-do, break-continue, switch, <br> exceptions | Labels and conditional/ unconditional <br> jumps, no looping |
| Data statements: assignments, array <br> access, field access | Data movements, generic memory <br> access statements |
| Expressions: variables, constants, <br> arithmetic operators, logical operators, <br> function calls | No sub-expressions, logical as numeric, <br> temporaries, constants, function calls - <br> explicit argument passing |

## Lowering AST to TAC



## IR Generation



Valid Abstract Syntax Tree Symbol Table


Intermediate Representation (IR)

$\longmapsto$ Executable Code

## TAC generation

- At this stage in compilation, we have
- an AST
- annotated with scope information
- and annotated with type information
- To generate TAC for the program, we do recursive tree traversal
- Generate TAC for any subexpressions or substatements
- Using the result, generate TAC for the overall expression


## TAC generation for expressions

- Define a function cgen(expr) that generates TAC that computes an expression, stores it in a temporary variable, then hands back the name of that temporary
- Define cgen directly for atomic expressions (constants, this, identifiers, etc.)
- Define cgen recursively for compound expressions (binary operators, function calls, etc.)


# cgen for basic expressions 

$\operatorname{cgen}(k)=\{/ / k$ is a constant<br>Choose a new temporary $t$<br>Emit ( $t=k$ )<br>Return $t$<br>\}<br>cgen(id) $=\{/ /$ id is an identifier<br>Choose a new temporary $t$<br>$\operatorname{Emit}(t=i d)$<br>Return $t$<br>\}

## cgen for binary operators

$$
\begin{aligned}
& \operatorname{cgen}\left(\mathrm{e}_{1}+\mathrm{e}_{2}\right)=\{ \\
& \text { Choose a new temporary } t \\
& \text { Let } t_{1}=\operatorname{cgen}\left(e_{1}\right) \\
& \text { Let } t_{2}=\operatorname{cgen}\left(e_{2}\right) \\
& \text { Emit }\left(t=t_{1}+t_{2}\right) \\
& \text { Return } t \\
& \}
\end{aligned}
$$

## cgen example

$\operatorname{cgen}(5+x)=\{$
Choose a new temporary $t$
Let $t_{1}=\operatorname{cgen}(5)$
Let $t_{2}=\operatorname{cgen}(x)$
$\operatorname{Emit}\left(t=t_{1}+t_{2}\right)$
Return $t$
$\}$

## cgen example

```
cgen(5 + x) = {
    Choose a new temporary t
    Let }\mp@subsup{t}{1}{}=
    Choose a new temporary t
    Emit(t=5; )
    Return t
    }
    Let t
    Emit(t=t
    Return t
}
```


## cgen example

```
cgen(5 + x) ={
    Choose a new temporary t Returns an arbitrary
    Let }\mp@subsup{t}{1}{}=
    Choose a new temporary t
    Emit(t = 5; )
    Return t
    }
    Let t}\mp@subsup{t}{2}{={
    Choose a new temporary t
    Emit(t = x; )
    Return t
}
Emit(t=t t + t ; ; )
Return t

\section*{cgen example}
```

cgen(5 + x) = {
Choose a new temporary t Returns an arbitrary
Let }\mp@subsup{t}{1}{}=
Choose a new temporary t
Emit(t=5; )
Return t
}
Let t2 = {
Choose a new temporary t
Emit(t=x; )
Return t
}
Emit(t=t t + t ; ; )
Return t

## cgen as recursive AST traversal

cgen $(5+x)$


## Naive cgen for expressions

- Maintain a counter for temporaries in c
- Initially: c = 0
- $\operatorname{cgen}\left(\mathrm{e}_{1}\right.$ op $\left.\mathrm{e}_{2}\right)=\{$

Let $A=\operatorname{cgen}\left(e_{1}\right)$
$\mathrm{c}=\mathrm{c}+1$
Let $B=\operatorname{cgen}\left(e_{2}\right)$
$\mathrm{c}=\mathrm{c}+1$
Emit( _tc = A op B; )
Return _tc
\}

## Example

$\operatorname{cgen}((a * b)-d)$

## Example

$$
\begin{aligned}
& c=0 \\
& \operatorname{cgen}((a * b)-d)
\end{aligned}
$$

## Example

$$
\begin{aligned}
& \mathrm{c}=0 \\
& \mathrm{cgen}\left(\left(\mathrm{a}^{*} \mathrm{~b}\right)-\mathrm{d}\right)=\{ \\
& \quad \text { Let } \mathrm{A}=\operatorname{cgen}\left(\mathrm{a}^{*} \mathrm{~b}\right) \\
& \mathrm{c}=\mathrm{c}+1 \\
& \text { Let } \mathrm{B}=\operatorname{cgen}(\mathrm{d}) \\
& \mathrm{c}=\mathrm{c}+1 \\
& \text { Emit }\left(\_\mathrm{tc}=\mathrm{A}-\mathrm{B} ;\right) \\
& \text { Return _tc } \\
& \}
\end{aligned}
$$

## Example

```
c=0
cgen( (a*b)-d) = {
    Let A = {
        Let A= cgen(a)
        c = C + 1
        Let B = cgen(b)
        c = c + 1
        Emit( _tc = A * B; )
        Return tc
    }
    c = c + 1
    Let B= cgen(d)
    c = c + 1
    Emit( _tc = A - B; )
    Return _tc
}
```


## Example

```
c=0
cgen( (a*b)-d) = {
    Let A = {
        Let A = { Emit(_tc = a;), return _tc }
        c = C + 1
        Let B = { Emit(_tc = b;), return _tc }
        c = c + 1
        Emit(_tc = A * B; )
        Return _tc
    }
    c = c + 1
    Let B = { Emit(_tc = d;), return _tc }
    c = c + 1
    Emit( _tc = A - B; )
    Return _tc
}
```


## Example

```
c=0
cgen( (a*b)-d) = {
    Let }A={\quad\mathrm{ here }A=_t
    Code
    _t0=a;
        Let A = { Emit(_tc = a;), return _tc }
        c = c + 1
        Let B = { Emit(_tc = b;), return _tc }
        c = c + 1
        Emit(_tc = A * B; )
        Return _tc
    }
    c = c + 1
    Let B = { Emit(_tc = d;), return _tc }
    c = c + 1
    Emit( _tc = A - B; )
    Return _tc
}
```


## Example

```
c=0
cgen( (a*b)-d) = {
    Let }A={\quad\mathrm{ here A=_t0
        Let A = { Emit(_tc = a;), return _tc }
        c = c + 1
        Let B = { Emit(_tc = b;), return _tc }
        c = c + 1
        Emit( _tc = A * B; )
        Return _tc
    }
    c = c + 1
    Let B = { Emit(_tc = d;), return _tc }
    c = c + 1
    Emit( _tc = A - B; )
    Return _tc
}
```


## Example

```
c=0
cgen( (a*b)-d) = {
    Let }A={\quad\mathrm{ here A=_t0
        Let A = { Emit(_tc = a;), return _tc }
        c = C + 1
        Let B={ Emit(_tc = b;), return _tc }
        c = c + 1
        Emit(_tc = A * B; )
        Return _tc
    }
    c = c + 1
    Let B = { Emit(_tc = d;), return _tc }
    c = c + 1
    Emit( _tc = A - B; )
    Return _tc
}
```


## Example

```
\(c=0\)
cgen ( \(a * b)\) here \(A=+t 2\)
Let \(A=\{\)
    Let \(A=\left\{\operatorname{Emit}\left(\_t c=a ;\right)\right.\), return _tc \(\}\)
    \(\mathrm{c}=\mathrm{c}+1\)
    Let \(B=\{\) Emit(_tc \(=\mathrm{b} ;\) ), return _tc \(\}\)
    \(\mathrm{c}=\mathrm{c}+1\)
    Emit(_tc = A * B; )
    Return _tc
    \}
    \(\mathrm{c}=\mathrm{c}+1\)
    Let \(B=\{\) Emit(_tc \(=d ;\) ), return _tc \(\}\)
    \(\mathrm{c}=\mathrm{c}+1\)
    Emit (_tc = A - B; )
    Return _tc
\}
```

$$
\begin{aligned}
& \text { Code } \\
& \text { t } 0=a ; \\
& \text { t1 }=\mathrm{b} ; \\
& \text { t2 }=\text { t } 0 * \_t 1
\end{aligned}
$$

## Example

```
\(\mathrm{c}=0\)
Let \(A=\{\)
here \(A=\_t 0\)
    Let \(A=\{\) Emit(_tc = a; ), return _tc \(\}\)
        \(\mathrm{c}=\mathrm{C}+1\)
        Let \(B=\{\) Emit(_tc \(=b ;\) ), return _tc \(\}\)
        \(\mathrm{c}=\mathrm{c}+1\)
        Emit(_tc = A * B; )
        Return _tc
    \}
    \(\mathrm{c}=\mathrm{c}+1\)
    Let \(B=\{\) Emit (_tc \(=d ;\) ), return _tc \(\}\)
    \(\mathrm{c}=\mathrm{c}+1\)
    Emit( _tc = A - B; )
    Return _tc
\}
```

Code
_t0=a;
_t1=b;

$$
+t 2=\_t 0 * \_t 1
$$

$$
\text { _t } 3=d \text {; }
$$

## Example


$\mathrm{c}=0$

Let $A=\{$
Let $A=\{$ Emit(_tc = a; ), return _tc \}

$$
c=c+1
$$

$$
\text { Let } B=\{\text { Emit (_tc = b;), return_tc }\}
$$

$$
c=c+1
$$

Emit (_tc = A * B; )
Return _tc

$$
\}
$$

$$
c=c+1
$$

$$
\text { Let } B=\left\{\text { Emit }\left(\_t c=d ;\right), \text { return _tc }\right\}
$$

$$
c=c+1
$$

Emit( _tc = A - B; )
Return _tc

Code

$$
\text { to }=a ;
$$

$$
\text { _t }=\mathrm{b} ;
$$

$$
-t 2=+0 * t^{t 1}
$$

$$
t 3=d
$$

$$
-t 4=-t 2-\quad t 3
$$

## cgen for statements

- We can extend the cgen function to operate over statements as well
- Unlike cgen for expressions, cgen for statements does not return the name of a temporary holding a value.
- (Why?)


# cgen for simple statements 

## cgen(expr;) = \{ cgen(expr) <br> \}

## cgen for if-then-else

cgen(if (e) $\mathrm{s}_{1}$ else $\mathrm{s}_{2}$ )

Let _t = cgen(e)<br>Let $L_{\text {true }}$ be a new label<br>Let $L_{\text {false }}$ be a new label<br>Let $\mathrm{L}_{\text {atter }}$ be a new label<br>Emit( IfZ _t Goto Lalse; )<br>cgen( $\mathrm{s}_{1}$ )<br>Emit( Goto $L_{\text {after }}$ )<br>Emit( Lalse: $^{\text {: }}$ )<br>cgen $\left(s_{2}\right)$<br>Emit( Goto $L_{\text {after }}$ )<br>Emit( $\mathrm{L}_{\text {after }}$ )

## cgen for while loops

cgen(while (expr) stmt)
Let $L_{\text {before }}$ be a new label.
Let $L_{\text {after }}$ be a new label.
Emit( $L_{\text {before }}$ : )
Let $\mathrm{t}=\mathbf{c g e n}$ (expr)
Emit( IfZ t Goto Lafter; )
cgen(stmt)
Emit( Goto $L_{\text {before }}$ )
Emit( $\mathrm{L}_{\text {after: }}$ )

# cgen for short-circuit disjunction 

Emit(_t1 = 0; _t2 = 0;)<br>Let $L_{\text {after }}$ be a new label<br>Let _t1 = cgen(e1)<br>Emit( IfNZ _t1 Goto $L_{\text {after }}$ )<br>Let _t2 = cgen(e2)<br>Emit( $\mathrm{L}_{\text {after }}$ : )<br>Emit( _t = _t1 || _t2; )<br>Return _t

## Our first optimization



## Naive cgen for expressions

- Maintain a counter for temporaries in c
- Initially: c = 0
- $\operatorname{cgen}\left(\mathrm{e}_{1}\right.$ op $\left.\mathrm{e}_{2}\right)=\{$

Let $A=\operatorname{cgen}\left(e_{1}\right)$
$\mathrm{c}=\mathrm{c}+1$
Let $B=\operatorname{cgen}\left(e_{2}\right)$
$\mathrm{c}=\mathrm{c}+1$
Emit( _tc = A op B; )
Return _tc
\}

## Naïve translation

- cgen translation shown so far very inefficient
- Generates (too) many temporaries - one per subexpression
- Generates many instructions - at least one per subexpression
- Expensive in terms of running time and space
- Code bloat
- We can do much better ...


## Naive cgen for expressions

- Maintain a counter for temporaries in c
- Initially: $\mathrm{c}=0$
- $\operatorname{cgen}\left(\mathrm{e}_{1}\right.$ op $\left.\mathrm{e}_{2}\right)=\{$

Let $A=\operatorname{cgen}\left(\mathrm{e}_{1}\right)$
$\mathrm{c}=\mathrm{c}+1$
Let $B=\operatorname{cgen}\left(e_{2}\right)$
$\mathrm{c}=\mathrm{c}+1$
Emit( _tc = A op B; )
Return _tc
\}

- Observation: temporaries in cgen $\left(\mathrm{e}_{1}\right)$ can be reused in cgen( $\mathrm{e}_{2}$ )


## Improving cgen for expressions

- Observation - naïve translation needlessly generates temporaries for leaf expressions
- Observation - temporaries used exactly once
- Once a temporary has been read it can be reused for another sub-expression
- $\operatorname{cgen}\left(\mathrm{e}_{1}\right.$ op $\left.\mathrm{e}_{2}\right)=\{$

Let _t1 = cgen $\left(\mathrm{e}_{1}\right)$
Let _t2 $=\operatorname{cgen}\left(\mathrm{e}_{2}\right)$
Emit (_t =_t1 op_t2; )
Return t
\}

- Temporaries $\operatorname{cgen}\left(\mathrm{e}_{1}\right)$ can be reused in $\operatorname{cgen}\left(\mathrm{e}_{2}\right)$


## Sethi-Ullman translation

- Algorithm by Ravi Sethi and Jeffrey D. Ullman to emit optimal TAC
- Minimizes number of temporaries
- Main data structure in algorithm is a stack of temporaries
- Stack corresponds to recursive invocations of _t = cgen(e)
- All the temporaries on the stack are live
- Live = contain a value that is needed later on


## Live temporaries stack

- Implementation: use counter c to implement live temporaries stack
- Temporaries _t(0), ... , _t(c) are alive
- Temporaries _t(c+1), _t(c+2)... can be reused
- Push means increment c, pop means decrement c
- In the translation of _t $(c)=\operatorname{cgen}\left(e_{1}\right.$ op $\left.e_{2}\right)$

$$
\begin{aligned}
& \text { _t }(c)=\operatorname{cgen}\left(e_{1}\right) \\
& { }_{-} \mathrm{t}(\mathrm{c})=\boldsymbol{\operatorname { c g e n }}\left(\mathrm{e}_{2}\right) \\
& \text {-------------- } C=C-1 \\
& Z^{t(c)}=\text { _t }^{t(c)} \text { op } \quad \underbrace{t(c+1)}
\end{aligned}
$$

## Using stack of temporaries example

$$
\begin{aligned}
& \text { _t0 }=\operatorname{cgen}\left(\left(\left(c^{*} d\right)-\left(e^{* f}\right)\right)+\left(a^{*} b\right)\right) \\
& \text {------ c = } 0
\end{aligned}
$$

$$
\begin{aligned}
& \text { - ----- } C=C+1 \\
& \text { _t1 }=a * b \\
& \text {------ } \quad \mathrm{C}=\mathrm{C} \text { - } 1 \\
& \text { _t0 }=\text { _t } 0+{ }^{t 1}
\end{aligned}
$$

## Temporaries <br> Weighted register allocation

- Suppose we have expression $\mathrm{e}_{1}$ op $\mathrm{e}_{2}$
$-e_{1}, e_{2}$ without side-effects
- That is, no function calls, memory accesses, $++x$
$-\operatorname{cgen}\left(\mathrm{e}_{1}\right.$ op $\left.\mathrm{e}_{2}\right)=\operatorname{cgen}\left(\mathrm{e}_{2}\right.$ op $\left.\mathrm{e}_{1}\right)$
- Does order of translation matter?
- Sethi \& Ullman's algorithm translates heavier sub-tree first
- Optimal local (per-statement) allocation for side-effect-free statements


## Example

$$
\begin{aligned}
& \quad-\mathrm{t} 0=\mathrm{cgen}(\mathrm{a}+(\mathrm{b}+(\mathrm{c} * \mathrm{~d}))) \\
& + \text { and }
\end{aligned}
$$


right child first


4 temporaries
2 temporary

## Weighted register allocation

- Can save registers by re-ordering subtree computations
- Label each node with its weight
- Weight = number of registers needed
- Leaf weight known
- Internal node weight
- $w($ left $)>w($ right $)$ then $w=$ left
- $w$ (right) $>w$ (left) then $w=$ right
- $w($ right $)=w($ left $)$ then $w=$ left +1
- Choose heavier child as first to be translated
- WARNING: have to check that no side-effects exist before attempting to apply this optimization
- pre-pass on the tree


## Weighted reg. alloc. example _t0 = cgen ( $\mathrm{a}+\mathrm{b}\left[5{ }^{*} \mathrm{c}\right]$ )

Phase 1: - check absence of side-effects in expression tree - assign weight to each AST node


## Weighted reg. alloc. example

$$
\text { _t0 = cgen }(a+b[5 * c])
$$

Phase 2: - use weights to decide on order of translation


## Note on weighted register allocation

- Must reset temporaries counter after every statement: $x=y ; y=z$
- should not be translated to

$$
\begin{aligned}
& \text { _t0 = y; } \\
& \text { x = _t0; } \\
& \mathrm{y}^{\mathrm{t} 1}=\mathrm{z}=\mathrm{z} \text {; }
\end{aligned}
$$

- But rather to

```
\(\mathrm{t} 0=\mathrm{y} ;\)
\(\mathrm{x}=\mathrm{ta}\);
                            \# Finished translating statement. Set c=0
\(\mathrm{tO}=\)
\(\mathrm{y}=\ldots \mathrm{tO} ;\)
```


## Code generation

 for procedure calls
## (+ a few words on the runtime system)



## Code generation for procedure calls

- Compile time generation of code for procedure invocations
- Activation Records (aka Stack Frames)


## Supporting Procedures

- Stack: a new computing environment - e.g., temporary memory for local variables
- Passing information into the new environment
- Parameters
- Transfer of control to/from procedure
- Handling return values


## Calling Conventions

- In general, compiler can use any convention to handle procedures
- In practice, CPUs specify standards
- Aka calling conventios
- Allows for compiler interoperability
- Libraries!


## Abstract Register Machine (High Level View)



## Abstract Register Machine (High Level View)



High addresses
 addresses

## Abstract Activation Record Stack



Stack frame for
procedure
$\operatorname{Proc}_{k+1}\left(a_{1}, \ldots, a_{N}\right)$

## Abstract Stack Frame



## Handling Procedures

- Store local variables/temporaries in a stack
- A function call instruction pushes arguments to stack and jumps to the function label A statement $\mathbf{x = f ( a 1 , \ldots , a n ) ; ~ l o o k s ~ l i k e ~}$ Push al; ... Push an; Call f; Pop $\mathbf{x}$; // copy returned value
- Returning a value is done by pushing it to the stack (return $\mathbf{x}$;)

Push x;

- Return control to caller (and roll up stack) Return;


## Abstract Register Machine

## CPU



High addresses
 addresses

## Abstract Register Machine

## CPU



High addresses
 addresses

## Intro: Functions Example

```
int SimpleFn(int z) {
    int x, y;
    x = x * y * z;
    return x;
}
void main() {
    int w;
    w = SimpleFunction(137);
}
```

SimpleFn:
_t0 $=x$ * $y$;
_t1 = _七0 * z;
$\mathbf{x}=\mathrm{t}$;
Push x;
Return;
main:
t0 = 137;
Push _t0;
Call _SimpleFn;
Pop w;

## What Can We Do with Procedures?

- Declarations \& Definitions
- Call \& Return
- Jumping out of procedures - Passing \& Returning procedures as


## Design Decisions

- Scoping rules
- Static scoping vs. dynamic scoping
- Caller/callee conventions
- Parameters
- Who saves register values?
- Allocating space for local variables


## Static (lexical) Scoping

```
main ()
int a = 0; ; {
```

a name refers to its (closest) enclosing scope

## known at compile time

| Declaration | Scopes |
| :--- | :--- |
| $a=0$ | B0,B1,B3 |
| $b=0$ | B0 |
| $b=1$ | B1,B2 |
| $a=2$ | B2 |
| $b=3$ | B3 |

## Dynamic Scoping

- Each identifier is associated with a global stack of bindings
- When entering scope where identifier is declared
- push declaration on identifier stack
- When exiting scope where identifier is declared
- pop identifier stack
- Evaluating the identifier in any context binds to the current top of stack
- Determined at runtime


## Example

```
int x = 42;
int f() { return x; }
int g() { int x = 1; return f(); }
int main() { return g(); }
```

- What value is returned from main?
- Static scoping?
- Dynamic scoping?


## Why do we care?

- We need to generate code to access variables
- Static scoping
- Identifier binding is known at compile time
- "Address" of the variable is known at compile time
- Assigning addresses to variables is part of code generation
- No runtime errors of "access to undefined variable"
- Can check types of variables


## Variable addresses for static scoping: first attempt

```
int x = 42;
int f() { return x; }
int g() { int x = 1; return f(); }
int main() { return g(); }
```

| identifier | address |
| :--- | :--- |
| $x$ (global) | $0 \times 42$ |
| $x$ (inside g) | $0 \times 73$ |

## Variable addresses for static scoping: first attempt


what is the address of the variable " $i$ " in the procedure quicksort?

## Compile-Time Information on Variables

- Name
- Type
- Scope
- when is it recognized
- Duration
- Until when does its value exist
- Size
- How many bytes are required at runtime
- Address
- Fixed
- Relative
- Dynamic


## Activation Record (Stack Frames)

- separate space for each procedure invocation
- managed at runtime
- code for managing it generated by the compiler
- desired properties
- efficient allocation and deallocation
- procedures are called frequently
- variable size
- different procedures may require different memory sizes


## Semi-Abstract Register Machine

High addresses


## Main Memory



## A Logical Stack Frame (Simplified)



Stack frame for function f(a1,...,aN)

## Runtime Stack

- Stack of activation records
- Call = push new activation record
- Return = pop activation record
- Only one "active" activation record - top of stack
- How do we handle recursion?


## Activation Record (frame)



## Runtime Stack

- SP - stack pointer
- top of current frame
- FP - frame pointer
- base of current frame
- Sometimes called BP (base pointer)
- Usually points to a "fixed" offset from the "start" of the frame



## Code Blocks

- Programming language provide code blocks
void foo()
\{
int $x=8 ; y=9 ; / / 1$
$\{$ int $x=y * y ; / / 2\}$
$\{$ int $x=y * 7 ; / / 3\}$
$x=y+1 ;$
\}

| adminstrative |
| :--- |
| $x 1$ |
| $y 1$ |
| $x 2$ |
| $x 3$ |
| $\ldots$ |

## L-Values of Local Variables

- The offset in the stack is known at compile time
- L-val(x) $=$ FP+offset( $x$ )
- $x=5 \Rightarrow$ Load_Constant 5, R3 Store R3, offset(x)(FP)


## Pentium Runtime Stack

| Register | Usage |
| :--- | :--- |
| ESP | Stack pointer |
| EBP | Base pointer |
| Pentium stack registers |  |


| Instruction | Usage |
| :--- | :--- |
| push, pusha,... | push on runtime stack |
| pop,popa,... | Base pointer |
| call | transfer control to called routine |
| return | transfer control back to caller |

Pentium stack and call/ret instructions

## Accessing Stack Variables

- Use offset from FP (\%ebp)
- Remember: stack grows downwards
- Above FP = parameters
- Below FP = locals
- Examples
- \%ebp + 4 = return address
$-\% e b p+8$ = first parameter
- \%ebp - 4 = first local



## Factorial-fact(int n)

fact:

```
pushl %elop
movl %esp,%ebp
pushl %ebx
movl 8(%ebp),%ebx
cmpl $1,%ebx
jle .lresult
leal -1(%ebx),%eax
pushl %eax
call fact
imull %ebx,%eax
jmp .lreturn
    .lresult:
movl $1,%eax
    .lreturn:
movl -4(%ebp),%ebx
movl %ebp,%esp
popl %ebp
```

\# save ebp
\# ebp=esp
\# retv
\# restore ebx
\# restore esp
\# save ebp
\# ebp=esp
\# save ebx
\# ebx $=\mathrm{n}$
\# $\mathrm{n}=1$ ?
\# then done $\quad$ E
\# eax $=\mathrm{n}-1$
\#
\# fact $\mathrm{n}-1)$
\# eax=retv*n
\#
\# retv
\# restore ebx
\# restore esp
\# restore ebp


## Call Sequences

- The processor does not save the content of registers on procedure calls
- So who will?
- Caller saves and restores registers
- Callee saves and restores registers
- But can also have both save/restore some registers


## Call Sequences



## "To Callee-save or to Caller-save?"

- Callee-saved registers need only be saved when callee modifies their value
- Some heuristics and conventions are followed


## Caller-Save and Callee-Save Registers

- Callee-Save Registers
- Saved by the callee before modification
- Values are automatically preserved across calls
- Caller-Save Registers
- Saved (if needed) by the caller before calls
- Values are not automatically preserved across calls
- Usually the architecture defines caller-save and calleesave registers
- Separate compilation
- Interoperability between code produced by different compilers/languages
- But compiler writers decide when to use caller/callee registers


## Callee-Save Registers

- Saved by the callee before modification
- Usually at procedure prolog
- Restored at procedure epilog
- Hardware support may be available
- Values are automatically preserved across calls
int foo(int a) \{ .global _foo
int $b=a+1$;
f1();
g1(b);
return(b+2);

```
Add_Constant -K, SP //allocate space for foo
Store_Local R5, -14(FP) // save R5
Load_Reg R5, R0; Add_Constant R5, 1
JSR f1 ; JSR g1;
Add_Constant R5, 2; Load_Reg R5, R0
Load_Local -14(FP), R5 // restore R5
Add_Constant K, SP; RTS // deallocate
```


## Caller-Save Registers

- Saved by the caller before calls when needed
- Values are not automatically preserved across calls

| void bar (int y) \{ | Add_Constant -K, SP //allocate space for bar |
| :---: | :---: |
| int $x=y+1$; | Add_Constant R0, 1 |
| f2(x); | JSR f2 |
| g2(2); | Load_Constant 2, R0 ; JSR g2; |
| g2(8); | Load_Constant 8, R0; JSR g2 |
| \} | Add_Constant K, SP // deallocate space for bar RTS |

## Parameter Passing

- 1960s
- In memory
- No recursion is allowed
- 1970s
- In stack
- 1980s
- In registers
- First k parameters are passed in registers ( $\mathrm{k}=4$ or $\mathrm{k}=6$ )
- Where is time saved?
- Most procedures are leaf procedures
- Interprocedural register allocation
- Many of the registers may be dead before another invocation
- Register windows are allocated in some architectures per call (e.g., sun Sparc)


## Activation Records \& Language Design

## Compile-Time Information on Variables

- Name, type, size
- Address kind
- Fixed (global)
- Relative (local)
- Dynamic (heap)
- Scope
- when is it recognized
- Duration
- Until when does its value exist


## Scoping

```
int x = 42;
int f() { return x; }
int g() { int x=1; return f();}
int main() { return g(); }
```

- What value is returned from main?
- Static scoping?
- Dynamic scoping?


## Nested Procedures

- For example - Pascal
- Any routine can have sub-routines
- Any sub-routine can access anything that is defined in its containing scope or inside the sub-routine itself
- "non-local" variables


## Example: Nested Procedures

program p() \{

```
    int x;
    procedure a() {
        int y;
    [ procedure b(){ ... c() ... };
    [ procedure c() {
        int z;
            [procedure d() {
                y := x + z
                };
            ... b() ... d() ...
        }
        ... a() ... c()
    }
    a()
```


## Nested Procedures

- can call a sibling, ancestor
- when "c" uses (non-local) variables from "a", which instance of "a" is it?
- how do you find the right activation record at runtime?

Possible call sequence:
$\mathrm{p} \rightarrow \mathrm{a} \rightarrow \mathrm{a} \rightarrow \mathrm{c} \rightarrow \mathrm{b} \rightarrow \mathrm{c} \rightarrow \mathrm{d}$


## Nested Procedures

- goal: find the closest routine in the stack from a given nesting level
- if we reached the same routine in a sequence of calls
- routine of level $k$ uses variables of the same nesting level, it uses its own variables
- if it uses variables of nesting level $\mathrm{j}<\mathrm{k}$ then it must be the last routine called at level j
- If a procedure is last at level j on the stack, then it must be ancestor of the current routine

Possible call sequence:

$$
\mathrm{p} \rightarrow \mathrm{a} \rightarrow \mathrm{a} \rightarrow \mathrm{c} \rightarrow \mathrm{~b} \rightarrow \mathrm{c} \rightarrow \mathrm{~d}
$$



## Nested Procedures

- problem: a routine may need to access variables of another routine that contains it statically
- solution: lexical pointer (a.k.a. access link) in the activation record
- lexical pointer points to the last activation record of the nesting level above it
- in our example, lexical pointer of d points to activation records of c
- lexical pointers created at runtime
- number of links to be traversed is known at compile time


## Lexical Pointers

```
program p(){
```

    int x;
    [ procedure a() \{
        int y;
    [procedure b() \{c() \};
    [ procedure c() )
        int z;
            [procedure d()\{
                y := x + z
            \};
            ... b() ... d() ...
    L
    ... a() ... c() ...
    \}
a()

## Possible call sequence:

$$
\mathrm{p} \rightarrow \mathrm{a} \rightarrow \mathrm{a} \rightarrow \mathrm{c} \rightarrow \mathrm{~b} \rightarrow \mathrm{c} \rightarrow \mathrm{~d}
$$




## Lexical Pointers

```
program p(){
```

    int x;
    [ procedure a() \{
        int y;
    [procedure b()\{c()\};
    [procedure c()
        int z;
            [procedure d()\{
                y := x + z
            \};
                ... b() ... d() ...
            - \}
            ... a() ... c() ...
    \}
a()

## Possible call sequence: <br> $$
\mathrm{p} \rightarrow \mathrm{a} \rightarrow \mathrm{a} \rightarrow \mathrm{c} \rightarrow \mathrm{~b} \rightarrow \mathrm{c} \rightarrow \mathrm{~d}
$$



## Activation Records: Remarks

## Stack Frames

- Allocate a separate space for every procedure incarnation
- Relative addresses
- Provide a simple mean to achieve modularity
- Supports separate code generation of procedures
- Naturally supports recursion
- Efficient memory allocation policy
- Low overhead
- Hardware support may be available
- LIFO policy
- Not a pure stack
- Non local references
- Updated using arithmetic


## Non-Local goto in C syntax

```
void level_0(void) {
    void level_1(void) {
            void level_2(void) {
                goto L_1;
            }
            L_1:...
        }
}
```


## Non-local gotos in C

- setjmp remembers the current location and the stack frame
- longjmp jumps to the current location (popping many activation records)


## Non-Local Transfer of Control in C

```
#+nctuqe <seljmp.n>
void find_div_7(int n, jmp_buf *jmpbuf_ptr) {
    if (n % 7 == 0) longjmp(*jmpbuf_ptr, n);
    find_div_7(n + 1, jmpbuf_ptr);
}
int main(void) {
    jmp_buf jmpbuf; /* type defined in setjmp.h */
    int return_value;
    if ((return_value = setjmp(jmpbuf)) == 0) {
        /* setting up the label for longjmp() lands here */
        find_div_7(1, &jmpbuf);
    }
    else {
        /* returning from a call of longjmp() lands here */
        printf("Answer = %d\n", return_value);
    }
    return 0;
}
```


## Variable Length Frame Size

- C allows allocating objects of unbounded size in the stack
void $p$ () \{
int i;
char *p;
scanf("\%d", \&i);
p = (char *) alloca(i*sizeof(int));
\}
- Some versions of Pascal allows conformant array value parameters


## Limitations

- The compiler may be forced to store a value on a stack instead of registers
- The stack may not suffice to handle some language features


## Frame-Resident Variables

- A variable $x$ cannot be stored in register when:
- $x$ is passed by reference
- Address of $x$ is taken ( $\& x$ )
- is addressed via pointer arithmetic on the stack-frame (C varags)
- x is accessed from a nested procedure
- The value is too big to fit into a single register
- The variable is an array
- The register of $x$ is needed for other purposes
- Too many local variables
- An escape variable:
- Passed by reference
- Address is taken
- Addressed via pointer arithmetic on the stack-frame
- Accessed from a nested procedure


## The Frames in Different Architectures

 $g(x, y, z)$ where $x$ escapes|  | Pentium | MIPS | Sparc |
| :---: | :---: | :---: | :---: |
| X | InFrame(8) | InFrame(0) | InFrame(68) |
| y | InFrame(12) | $\ln \operatorname{Reg}\left(\mathrm{X}_{157}\right)$ | $\operatorname{InReg}\left(\mathrm{X}_{157}\right)$ |
| Z | InFrame(16) | $\operatorname{InReg}\left(\mathrm{X}_{158}\right)$ | $\operatorname{InReg}\left(\mathrm{X}_{158}\right)$ |
| View <br> Change | $\begin{aligned} & M[s p+0] \leftarrow f p \\ & f p \leftarrow s p \\ & s p \leftarrow s p-K \end{aligned}$ | $\begin{aligned} & s p \leftarrow s p-K \\ & M[s p+K+0] \leftarrow r_{2} \\ & X_{157} \leftarrow r 4 \\ & X_{158} \leftarrow r 5 \end{aligned}$ | save \%sp, $-K$, \%sp $\begin{aligned} & \mathrm{M}[\mathrm{fp}+68] \leftarrow \mathrm{i}_{0} \\ & \mathrm{X}_{157} \leftarrow \mathrm{i}_{1} \\ & \mathrm{X}_{158} \leftarrow \mathrm{i}_{2} \end{aligned}$ |

## Limitations of Stack Frames

- A local variable of $P$ cannot be stored in the activation record of $P$ if its duration exceeds the duration of $P$
- Example 1: Static variables in C (own variables in Algol)
void p(int x)
\{
static int $y=6$;
y $+=x$;
\}
- Example 2: Features of the C language

```
int * f()
{ int x ;
    return &X ;
}
```

- Example 3: Dynamic allocation

```
int * f() { return (int *)
malloc(sizeof(int)); }
```


## Compiler Implementation

- Hide machine dependent parts
- Hide language dependent part
- Use special modules


## Basic Compiler Phases



## Hidden in the frame ADT

- Word size
- The location of the formals
- Frame resident variables
- Machine instructions to implement "shift-of-view" (prologue/epilogue)
- The number of locals "allocated" so far
- The label in which the machine code starts


## Activation Records: Summary

- compile time memory management for procedure data
- works well for data with well-scoped lifetime
- deallocation when procedure returns

