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Computational Learning Theory
Fall Semester, 1992/3
    Lecture 2: November 5
Lecturer: Yishay Mansour

\subsection*{2.1 Some theorems and stuff}

We now delve right into the proof.
Lemma 2.1 This is the first lemma of the lecture.
Proof: The proof is by induction on ...
Theorem 2.2 This is the first theorem.
Proof: This is the proof of the first theorem theorem.

\subsection*{2.1.1 A few items of note}

Here is an itemized list:
- this is the first item
- this is the second item

\subsection*{2.1.2 A few more items}

Here is an enumerated list:
1. this is the first item
2. this is the second item

\subsection*{2.2 Next topic}

We are now ready for a major definition.
Definition This is the definition of myword.
Corollary 2.3 This is a corollary following from the definition of myword.
Sometimes we define terms in the middle of a paragraph. This is a different term being defined. Wasn't that easy?

On to the next page:


Figure 2.1: This is my picture.

This can be seen in Figure 2.1. Note that latex actually places this text before the figure, even though it appears after the figure in the .tex file.

Figure 2.2: This is a new picture.
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$\operatorname{FULL}_{i}(h), h \in\{1 \ldots n-1\}$
begin
if $\operatorname{NUMV}_{i}\left(\ell_{\text {max }}, h\right) \geq n-h$
then return (true)
else return (false)
end FULL
MAKELABEL $_{i}$
begin
if $i \neq i_{\text {max }}$
then $h^{\prime}:=$ minimum $h$ such that $\operatorname{FULL}(h)=$ true
$x_{i}:=\operatorname{NEXTLABEL}\left(\ell_{\text {max }}, h^{\prime}\right)$
end MAKELABEL $i$

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Figure 2.3: Code for MAKELABEL \({ }_{i}\) of BCTSS

\subsection*{2.3 Exercises}
1. Kama-kama yatzaa Hapoel Beer-Sheva mul Makabee Tel-Aviv be-onat 82 ?
*2. Tanin hu yoter aroch o yoter yarok?
*3. Ma shem hamishpacha shel ha-denni sh-amar: " \(2 B \vee \neg 2 B\) ".```

