

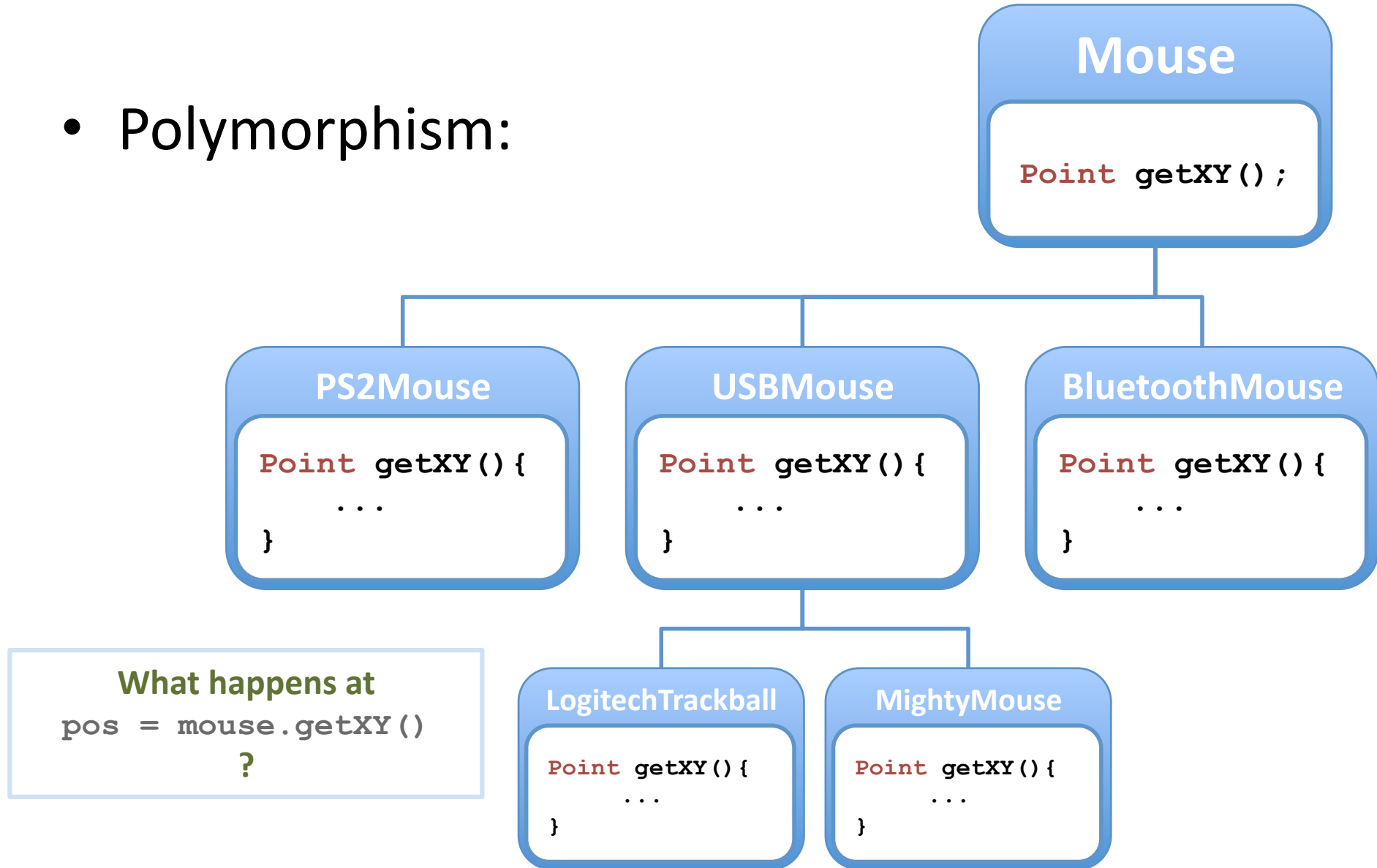
Practical Virtual Method Call Resolution for Java

Vijay Sundaresan, Laurie Hendren, Chrislain Razafimahefa,
Raja Vall´ee-Rai, Patrick Lam, Etienne Gagnon and Charles
Godin

Sable Research Group
School of Computer Science
McGill University Montreal

The Problem

- Polymorphism:



Motivation

1

Compact Executable

Remove functions which are never called

2

Faster Method Calls

Identify monomorphic call sites

3

Predictable Flow

Reduce number of flows, for other analyses

Class Hierarchy Analysis

For every class or instance d , we have

$$\mathit{hierarchy} - \mathit{types}(d) \subseteq \mathit{types}$$

Defined by the following recursion:

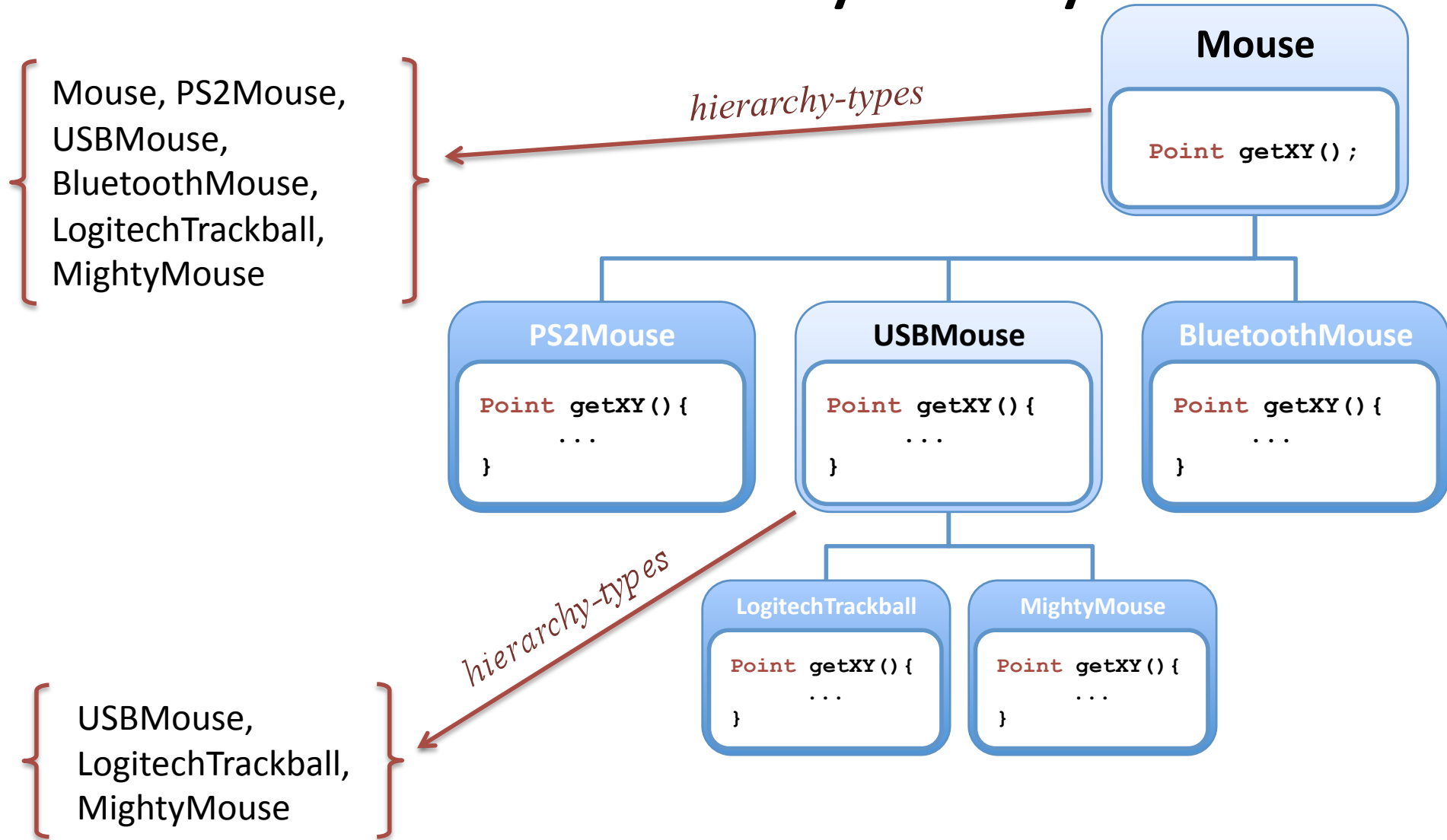
For every class or interface d

$$d \in \mathit{hierarchy} - \mathit{types}(d)$$

If d_2 **extends** d_1 or if d_2 **implements** d_1

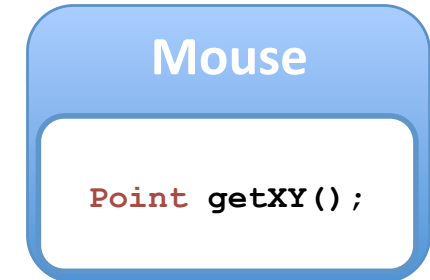
$$\mathit{hierarchy} - \mathit{types}(d_2) \subseteq \mathit{hierarchy} - \mathit{types}(d_1)$$

Class Hierarchy Analysis

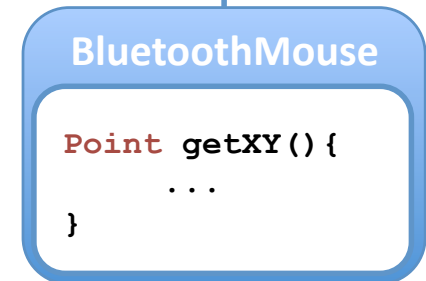
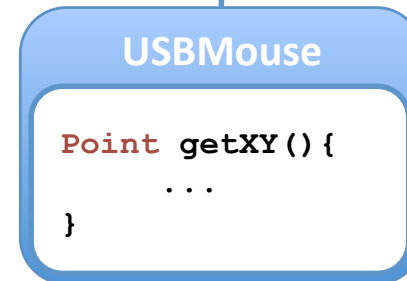
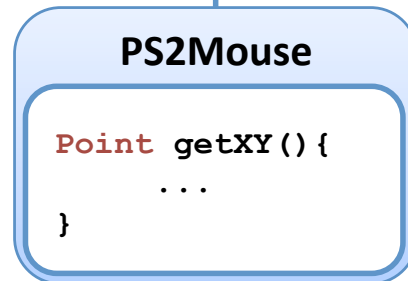


Class Hierarchy Analysis

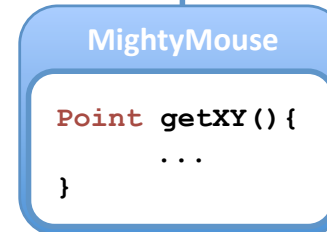
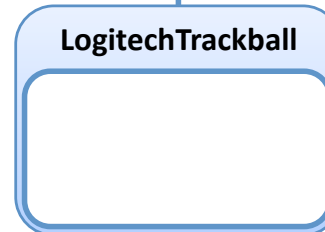
Sometimes you may need to look up the hierarchy



look-up(PS2Mouse.getXY) =
PS2Mouse.getXY



look-up(LogitechTrackball.getXY) =
USBMouse.getXY
look-up(LogitechTrackball.equals)
= object.equals



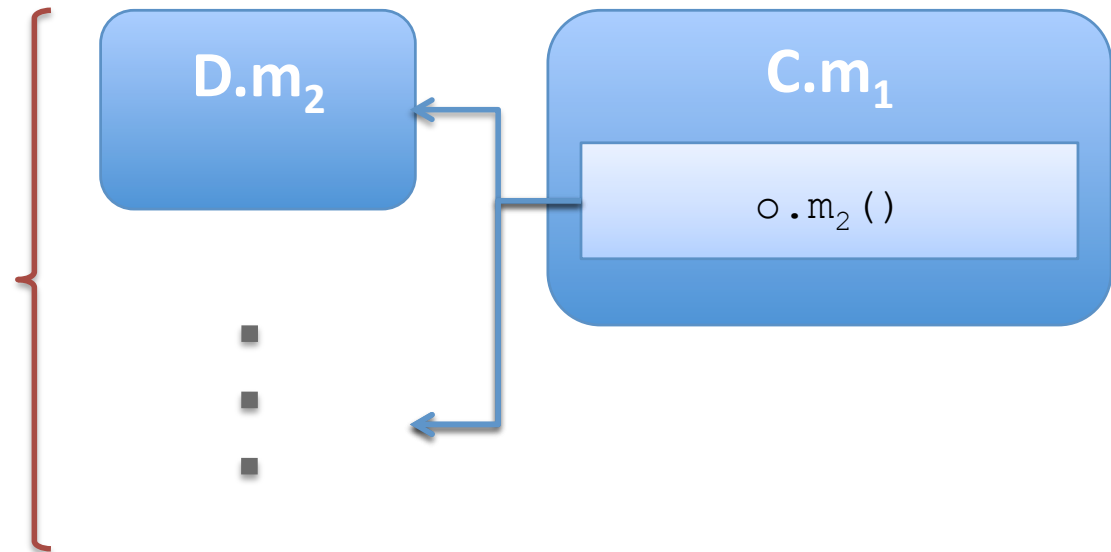
Call Graph

(pessimistic)

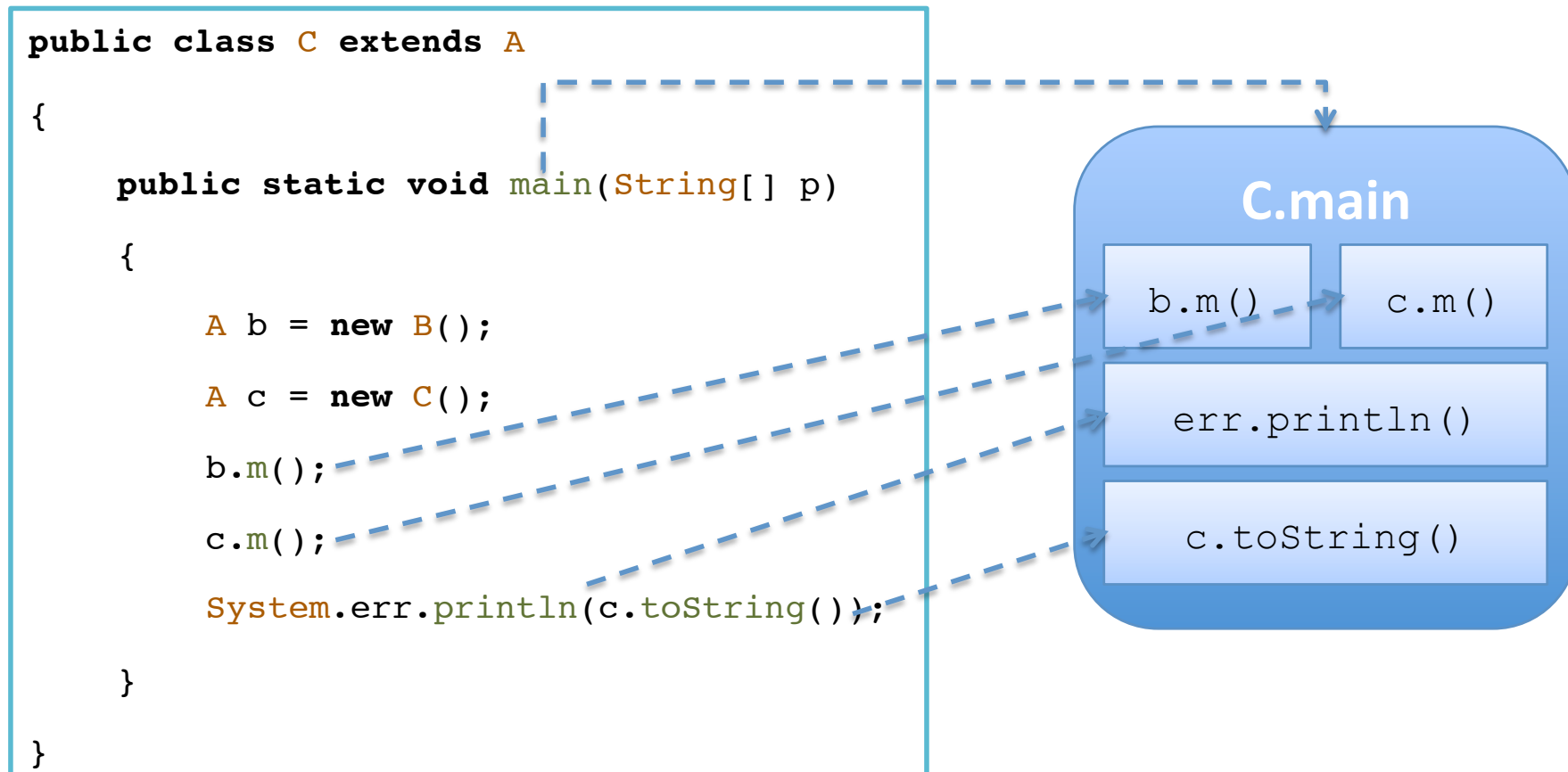
For a **receiver** o of type d ,

where

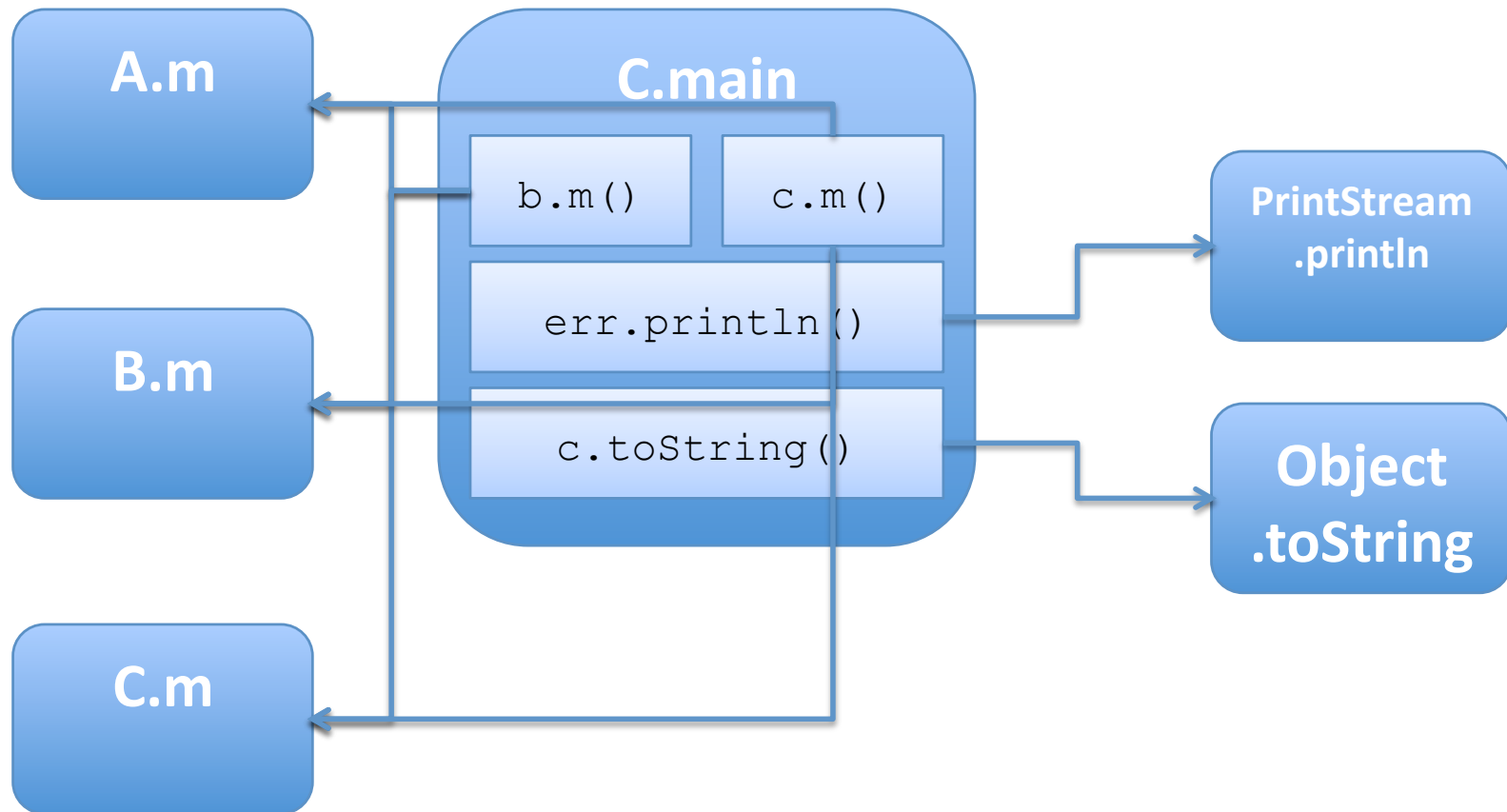
$D.m_2 = \text{look-up}(d'.m_2)$
for all d'
in $\text{hierarchy-types}(d)$



Call Graph



Call Graph



Rapid Type Analysis

Improvement over Class Hierarchy

For a program P –

$$\begin{aligned} \text{instantiated} - \text{types}(P) &= \\ & \{d \mid \exists a \text{ stmt "new } d" \text{ in } P\} \end{aligned}$$

- Get a more accurate result by only considering

$$\text{hierarchy} - \text{types}(d) \cap \text{instantiated} - \text{types}(P)$$

- Build call graph (and P) iteratively

Variable-Type Analysis

If

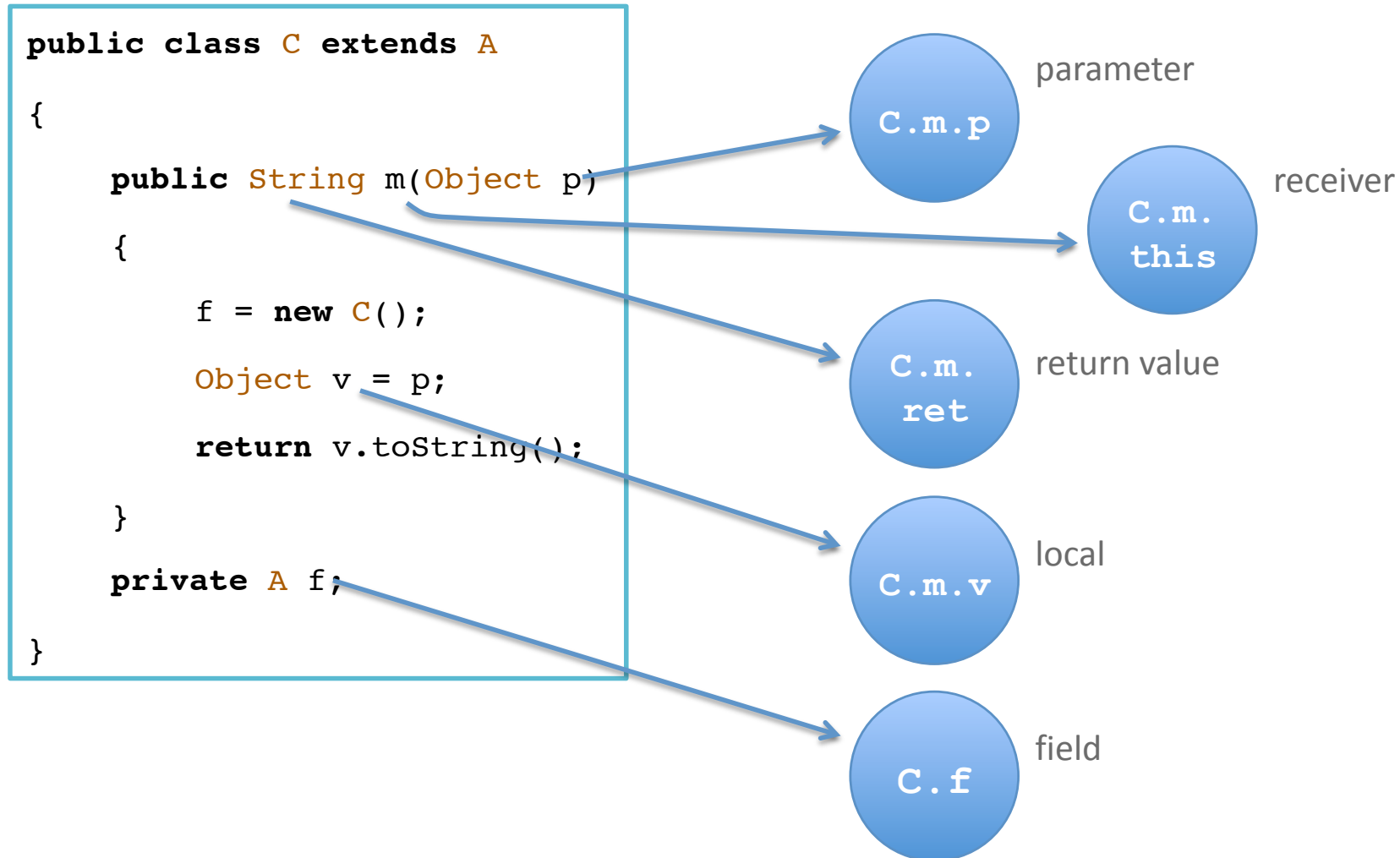
a receiver o may be of type d at run-time,
(where d is a subclass of the declared type of o)



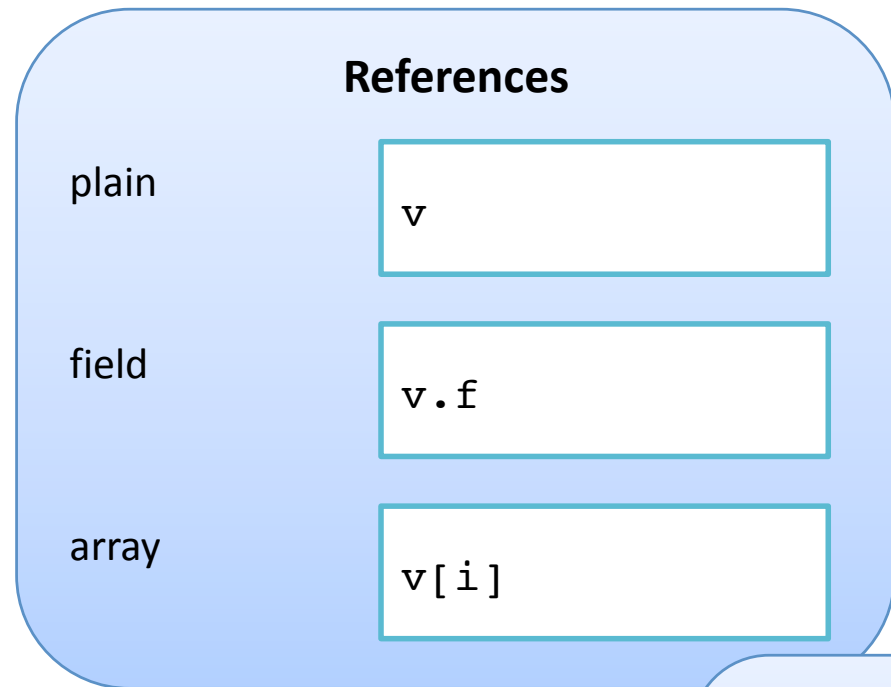
then

there must be a chain of assignments of the form
 $o = \text{var}_n = \text{var}_{n-1} = \dots = \text{var}_1 = \text{new } d()$

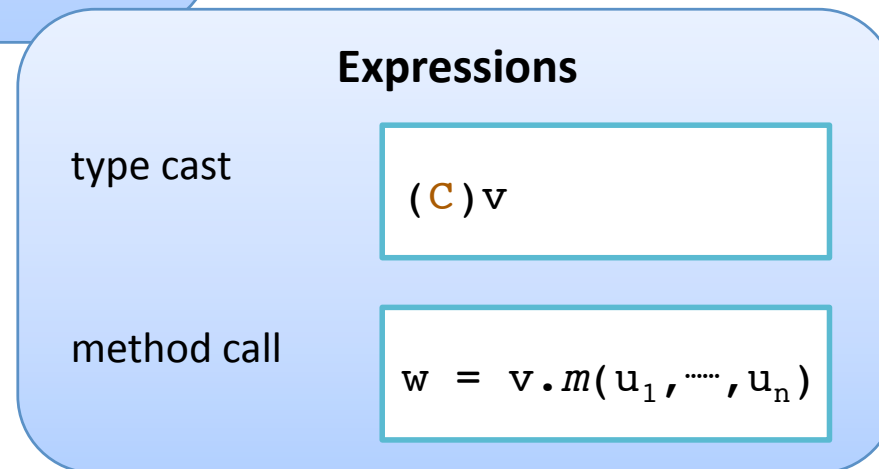
Representative Nodes



Anatomy of Assignments



lhs = rhs



Can assume w.l.g. that at least one of $\{lhs, rhs\}$ is plain local



Representative Edges

```
public class C extends A
{
    public String m(Object p)
    {
        A u, v, w;

        v = p;

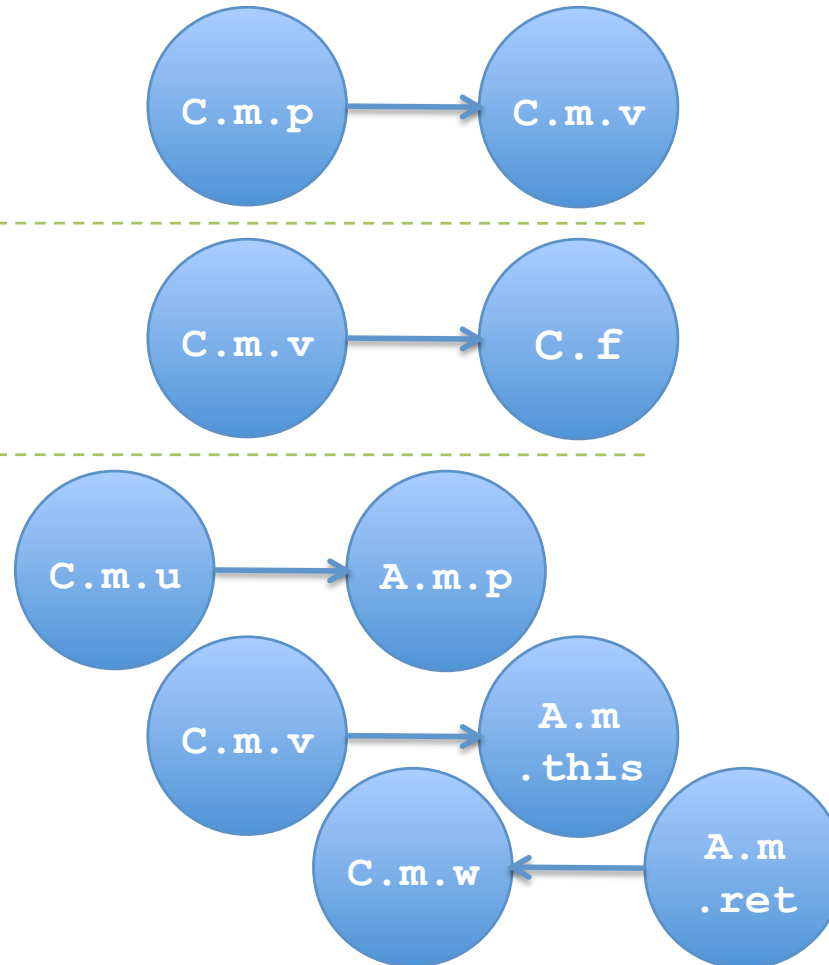
        this.f = v;

        w = v.m(u);
    }
}
```

v = p;

this.f = v;

w = v.m(u);

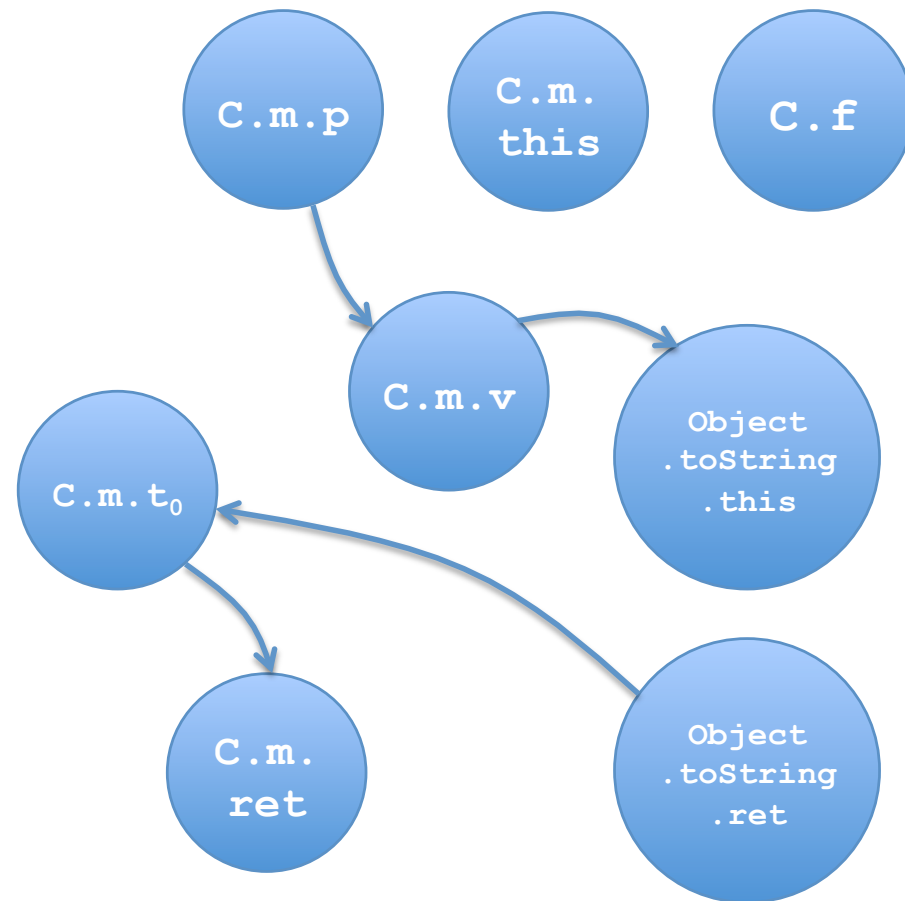


For array or object references:
↔ instead of →



Representative Graph

```
public class C extends A
{
    public String m(Object p)
    {
        f = new C();
        Object v = p;
        return v.toString();
    }
    private A f;
}
```



Instances

$$instances(n) \stackrel{\Delta}{=} \{d \mid \exists assignment \ n = new \ d\}$$

Variable-Type Analysis

If

a receiver o may be of type d at run-time,
(where d is a subclass of the declared type of o)

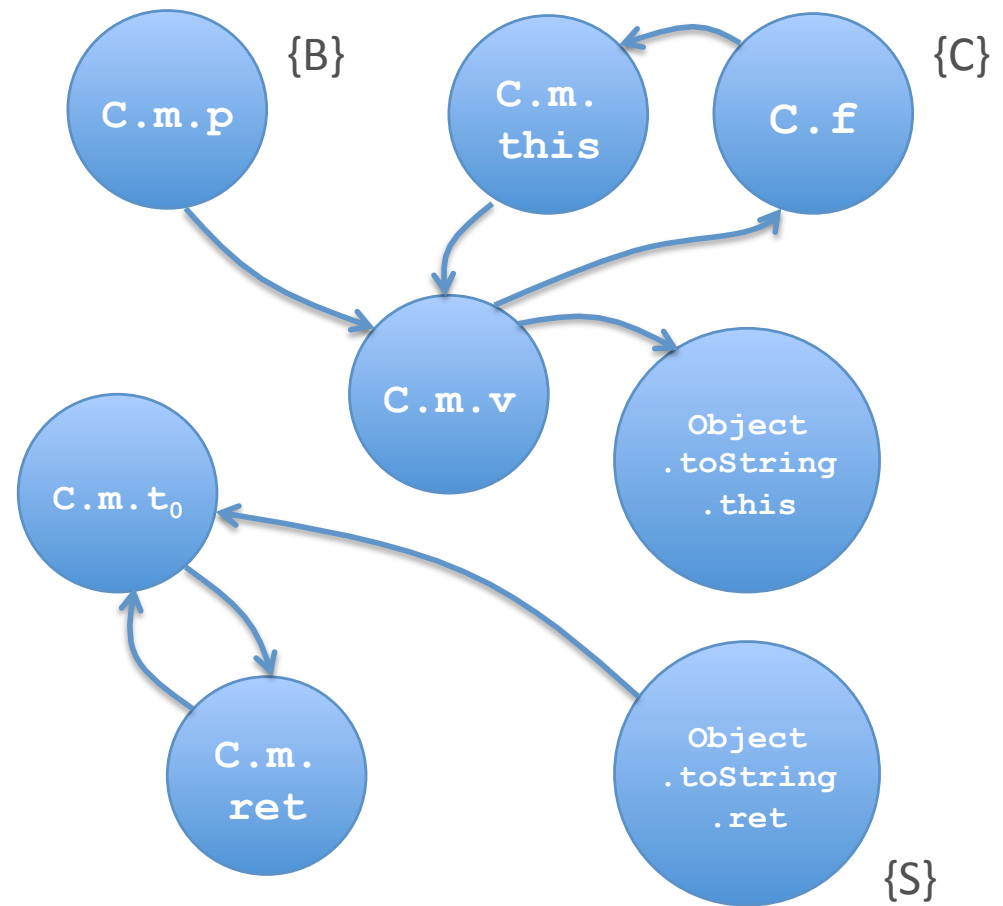


then

there must be a path in the representative graph
from a node n to $representative(o)$ s.t. d in $instances(n)$

Variable Type Analysis

Improving Performance

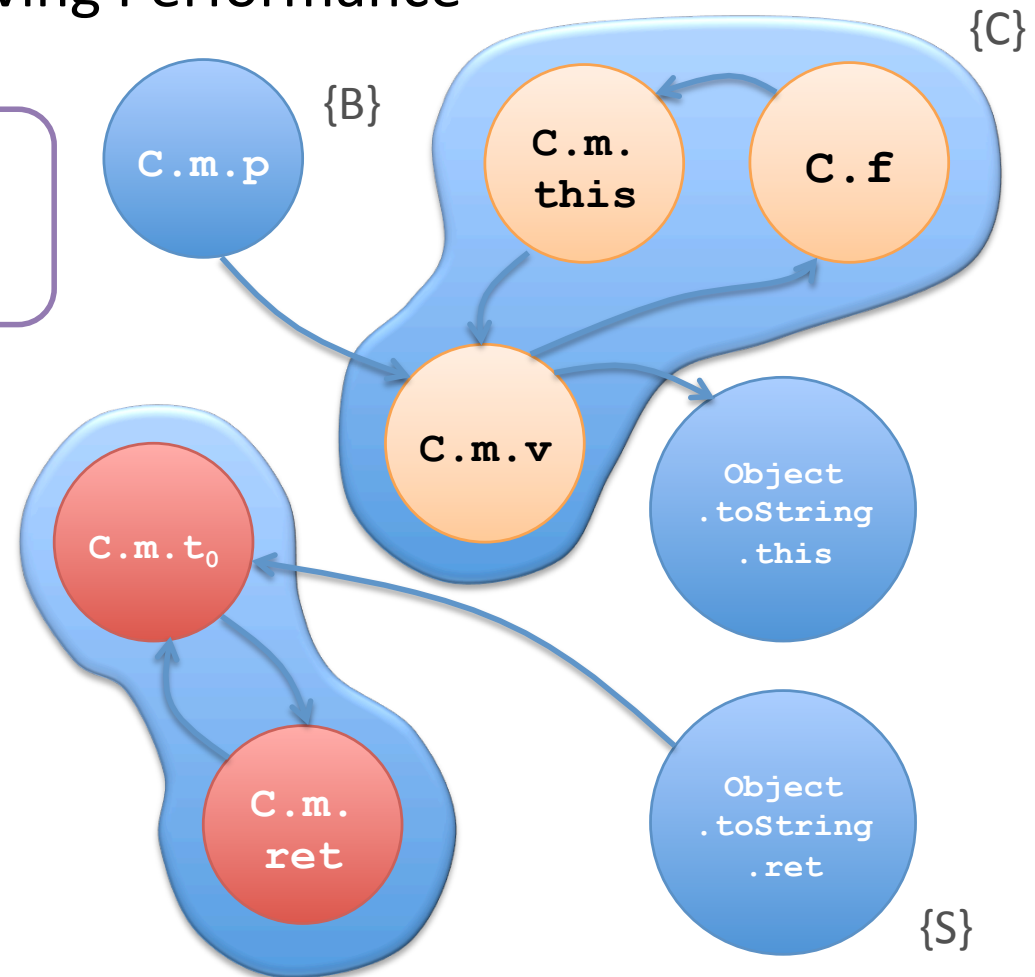


Variable Type Analysis

Improving Performance

1

Find Strongly Connected Components
using Tarjan's algorithm

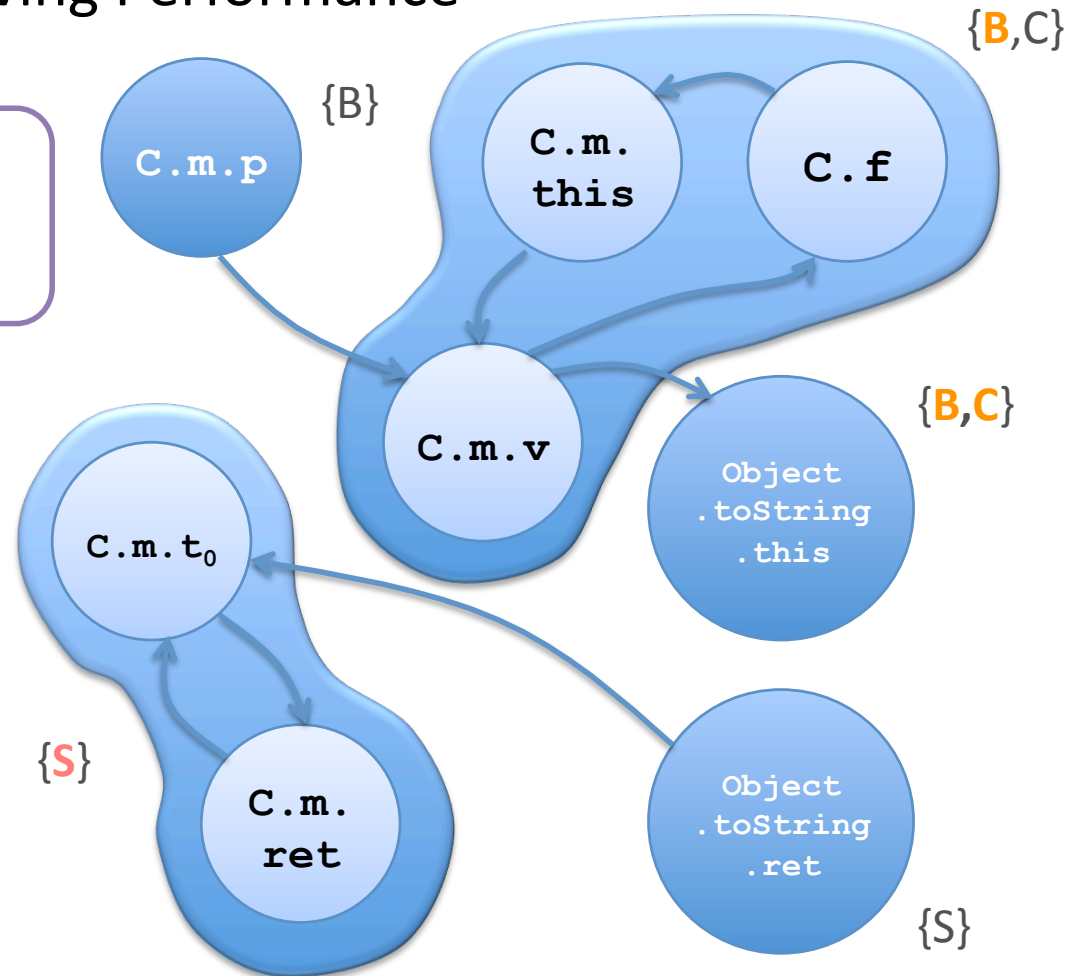


Variable Type Analysis

Improving Performance

2

Propagate Types Along Edges
(graph is now a DAG)



Declared-Type Analysis

- All variables of the same declared type are summarized as a single node
- Coarser-grain
 - Not as accurate as variable-type, but still more accurate than class hierarchy and rapid type
 - Faster and requires much less space

Experimental Results

- Detection of monomorphic call sites

