

Compilation

Lecture 7



Getting into the back-end

Noam Rinetzky

Compilation

Lecture 7



Intermediate Representation

Noam Rinetzky

But first, a short reminder



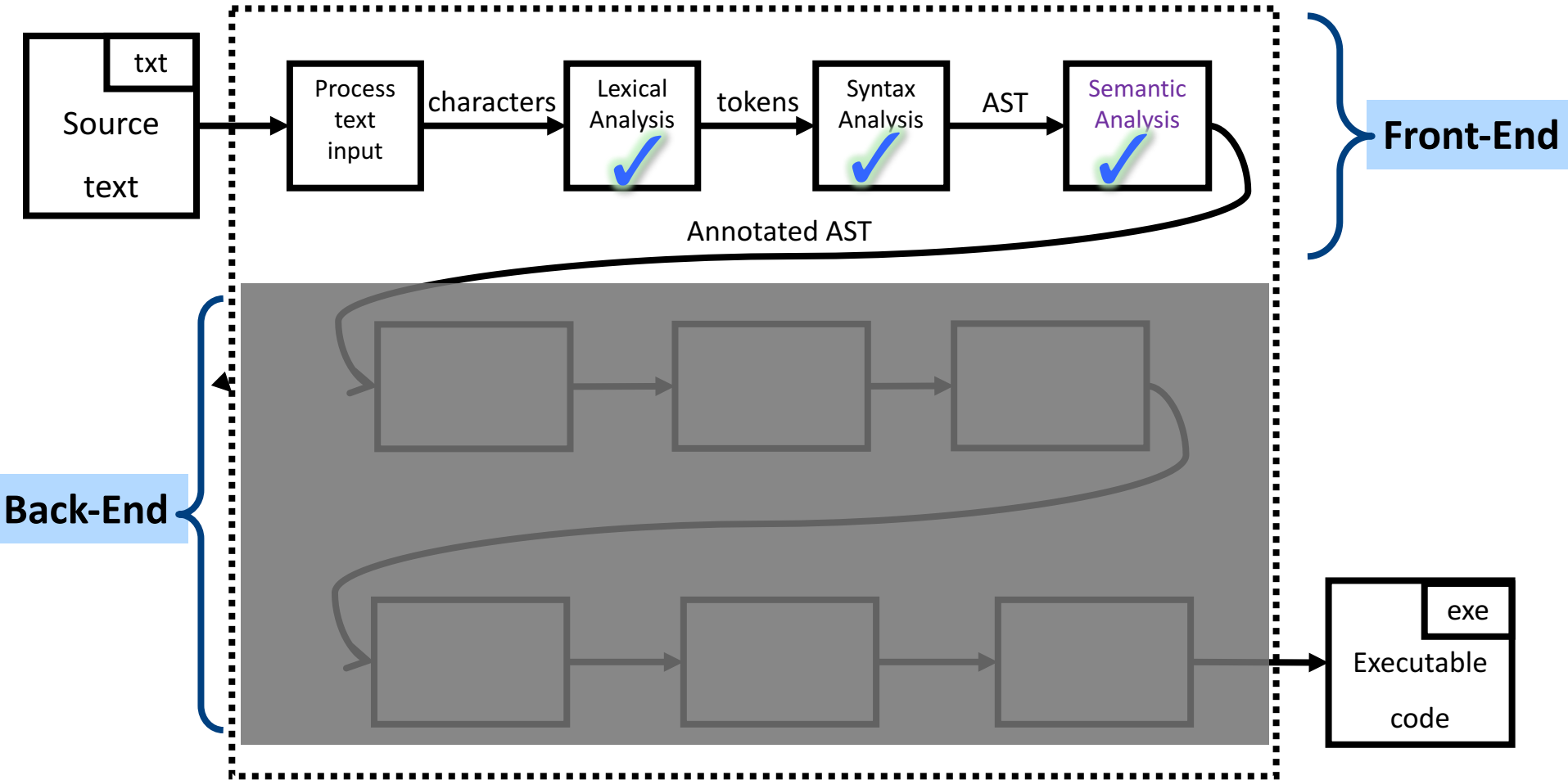
What is a compiler?

“A compiler is a computer program that transforms source code written in a programming language (source language) into another language (target language).

The most common reason for wanting to transform source code is to create an executable program.”

--Wikipedia

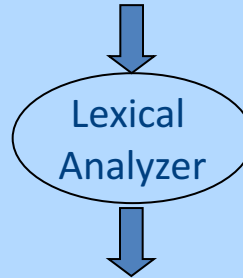
Where we were



Lexical Analysis

program text

((23 + 7) * x)



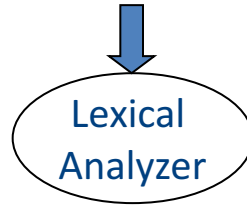
token stream

((23	+	7)	*	x)
LP	LP	Num	OP	Num	RP	OP	Id	RP

From scanning to parsing

program text

$((23 + 7) * x)$



token stream

((23	+	7)	*	x)
LP	LP	Num	OP	Num	RP	OP	Id	RP

Grammar:

$E \rightarrow \dots \mid \text{Id}$

$\text{Id} \rightarrow \text{'a'} \mid \dots \mid \text{'z'}$



syntax error

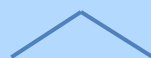
valid

Op(*)

Abstract Syntax Tree

Op(+)

Id(b)



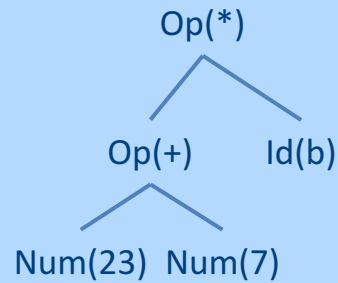
Num(23) Num(7)

Context Analysis

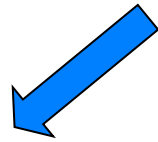
Type rules

$E1 : \text{int}$ $E2 : \text{int}$

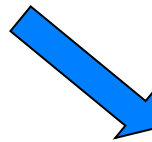
$E1 + E2 : \text{int}$



Abstract Syntax Tree



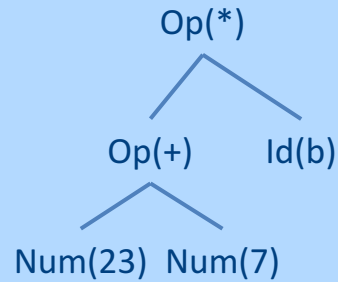
Semantic Error



Valid + Symbol Table

Code Generation

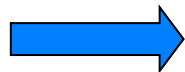
...



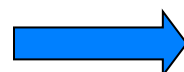
*Valid Abstract Syntax Tree
Symbol Table*

Verification (possible runtime)
Errors/Warnings

input



Executable Code



output

What is a compiler?

“A **compiler** is a computer program that **transforms** source **code** written in a programming language (source language) into another language (target language).

The most common reason for wanting to transform source code is to create an **executable program.**”

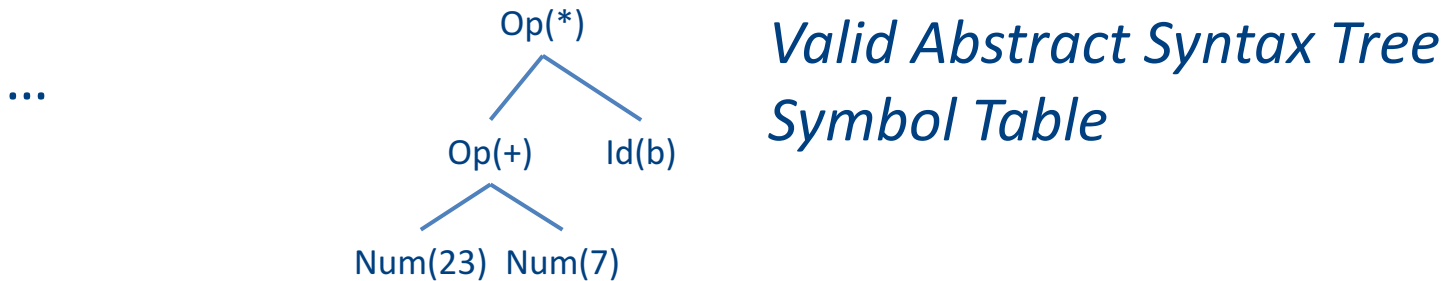
A CPU is (a sort of) an *Interpreter*

“A **compiler** is a computer program that **transforms** source **code** written in a programming language (source language) into another language (target language).

The most common reason for wanting to transform source code is to create an **executable program**.”

- Interprets machine code ...
 - Why not AST?
- Do we want to go from AST directly to MC?
 - We can, but ...
 - Machine specific
 - Very low level

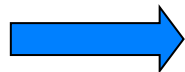
Code Generation in Stages



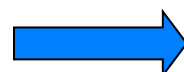
Verification (possible runtime)
Errors/Warnings

Intermediate Representation (IR)

input

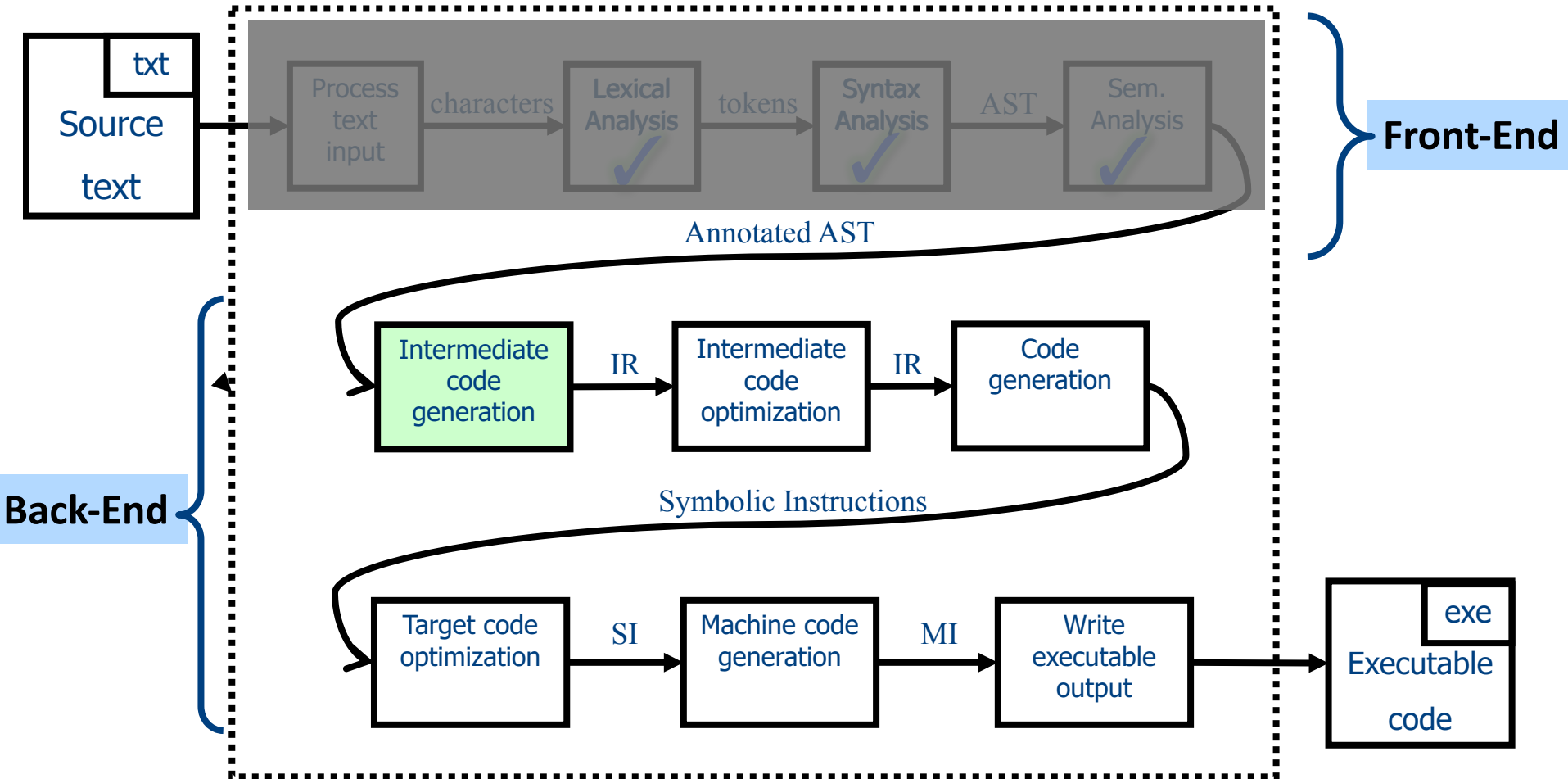


Executable Code



output

Where we are



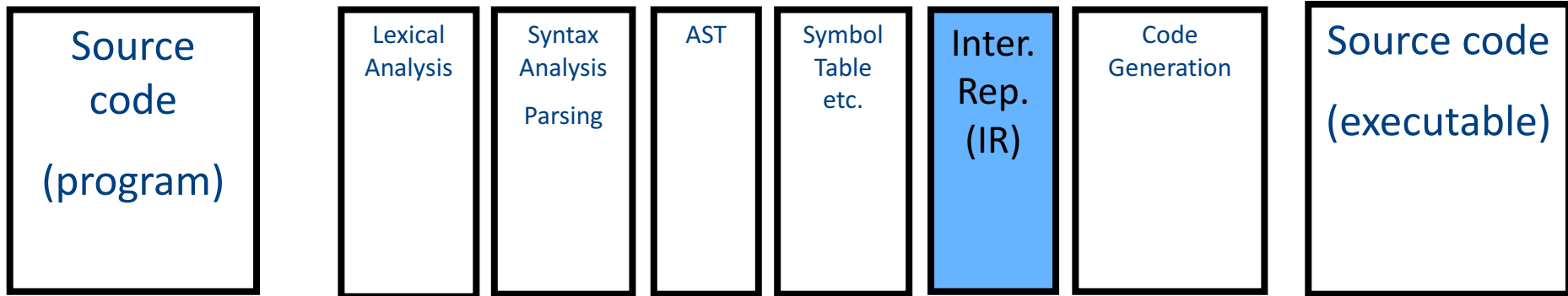
1 Note: Compile Time vs Runtime

- Compile time: Data structures used during program compilation
- Runtime: Data structures used during program execution
 - Activation record stack
 - Memory management
- The compiler generates code that allows the program to interact with the runtime



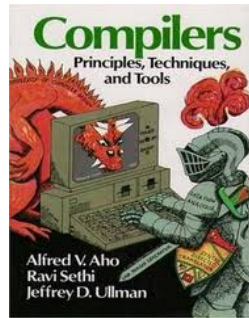
Intermediate Representation

Code Generation: IR



- Translating from abstract syntax (AST) to intermediate representation (IR)
 - **Three-Address Code**
- ...

Three-Address Code IR



Chapter 8

- A popular form of IR
- High-level assembly where instructions have at most three operands

IR by example

Sub-expressions example

Source

```
int a;  
int b;  
int c;  
int d;  
a = b + c + d;  
b = a * a + b * b;
```

IR

```
_t0 = b + c;  
a = _t0 + d;  
_t1 = a * a;  
_t2 = b * b;  
b = _t1 + _t2;
```

Sub-expressions example

Source

```
int a;  
int b;  
int c;  
int d;  
a = b + c + d;  
b = a * a + b * b;
```

IR (not optimized)

```
_t0 = b + c;  
a = _t0 + d;  
_t1 = a * a;  
_t2 = b * b;  
b = _t1 + _t2;
```

Temporaries explicitly
store intermediate
values resulting from
sub-expressions

Variable assignments

- $\text{var} = \text{constant};$
- $\text{var}_1 = \text{var}_2;$
- $\text{var}_1 = \text{var}_2 \text{ op } \text{var}_3;$
- $\text{var}_1 = \text{constant op } \text{var}_2;$
- $\text{var}_1 = \text{var}_2 \text{ op } \text{constant};$
- $\text{var} = \text{constant}_1 \text{ op } \text{constant}_2;$
- Permitted operators are $+, -, *, /, \%$

In the impl. var is replaced by a pointer to the symbol table

A compiler-generated temporary can be used instead of a var

Booleans

- Boolean variables are represented as integers that have zero or nonzero values
- In addition to the arithmetic operator, TAC supports `<`, `==`, `||`, and `&&`
- How might you compile the following?

```
b = (x <= y) ;
```

```
_t0 = x < y ;
```

```
_t1 = x == y ;
```

```
b = _t0 || _t1 ;
```

Unary operators

- How might you compile the following assignments from unary statements?

$y = -x;$

$z := !w;$

$y = 0 - x;$

$y = -1 * x;$

$z = w == 0;$

Control flow instructions

- Label introduction

label_name :

Indicates a point in the code that can be jumped to

- Unconditional jump: go to instruction following label L

Goto L;

- Conditional jump: test condition variable t;
if 0, jump to label L

IfZ t Goto L;

- Similarly : test condition variable t;
if not zero, jump to label L

IfNZ t Goto L;

Control-flow example – conditions

```
int x;  
int y;  
int z;  
  
if (x < y)  
    z = x;  
else  
    z = y;  
z = z * z;
```

```
    _t0 = x < y;  
    IfZ _t0 Goto _L0;  
    z = x;  
    Goto _L1;  
  
_L0:  
    z = y;  
  
_L1:  
    z = z * z;
```

Control-flow example – loops

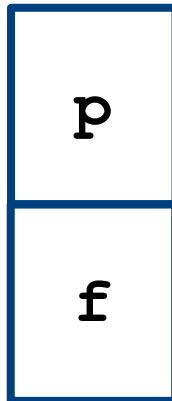
```
int x;  
int y;  
  
while (x < y) {  
    x = x * 2;  
}  
  
y = x;
```

```
_L0:  
    _t0 = x < y;  
    IfZ _t0 Goto _L1;  
    x = x * 2;  
    Goto _L0;  
  
_L1:  
    y = x;
```

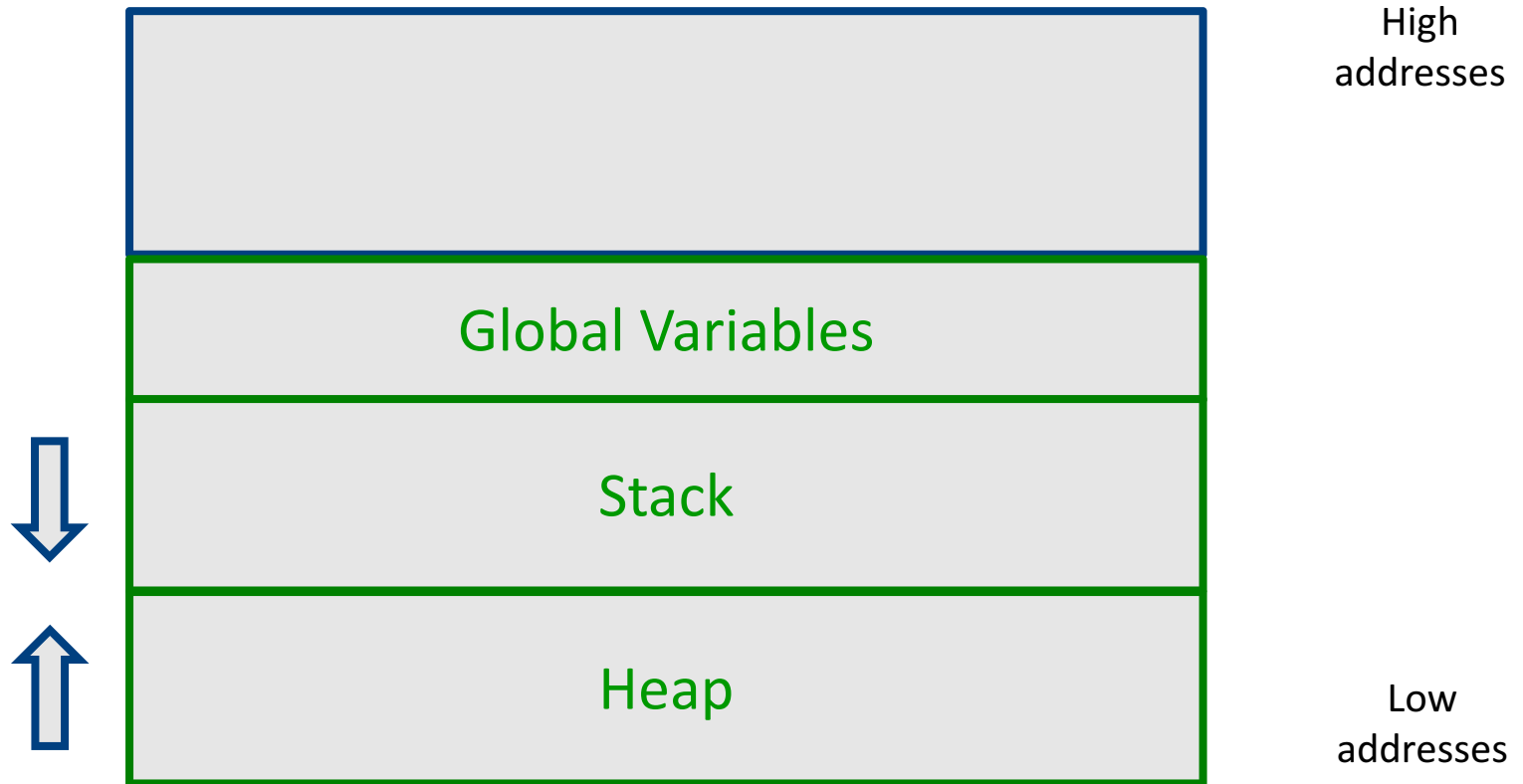
Procedures / Functions

```
p () {  
  int y=1, x=0;  
  x=f(a1, ..., an);  
  print(x);  
}
```

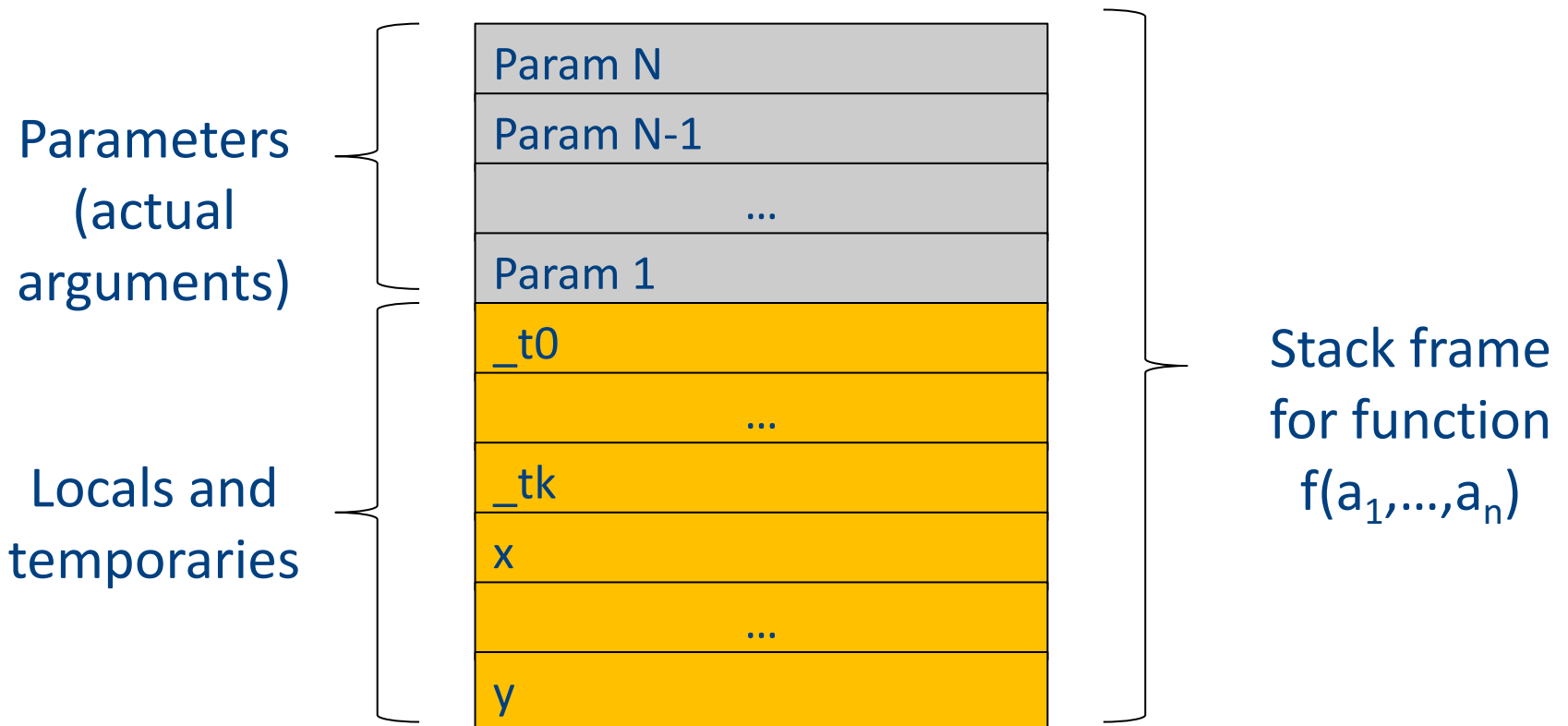
- What happens in runtime?



Memory Layout (popular convention)



A logical stack frame



Procedures / Functions

- A procedure call instruction **pushes** arguments to stack and **jumps** to the function label

A statement **$x=f(a_1, \dots, a_n)$** ; looks like

```
Push a1; ... Push an;
```

```
Call f;
```

```
Pop x; // pop returned value, and copy to it
```

- Returning a value is done by **pushing** it to the stack (**return x;**)

```
Push x;
```

- **Return control** to caller (and **roll up stack**)

```
Return;
```

Functions example

```
int SimpleFn(int z) {
    int x, y;
    x = x * y * z;
    return x;
}

void main() {
    int w;
    w = SimpleFunction(137);
}
```

```
_SimpleFn:
    _t0 = x * y;
    _t1 = _t0 * z;
    x = _t1;
    Push x;
    Return;

main:
    _t0 = 137;
    Push _t0;
    Call _SimpleFn;
    Pop w;
```

Memory access instructions

- **Copy** instruction: $a = b$
- **Load/store** instructions:
 $a = *b$ $*a = b$
- **Address of** instruction $a = \&b$
- **Array accesses:**
 $a = b[i]$ $a[i] = b$
- **Field accesses:**
 $a = b[f]$ $a[f] = b$
- **Memory allocation** instruction:
 $a = \text{alloc}(\text{size})$
 - Sometimes left out (e.g., malloc is a procedure in C)

Memory access instructions

- **Copy** instruction: $a = b$
- **Load/store** instructions:
 $a = *b$ $*a = b$
- **Address of** instruction $a = \&b$
- **Array accesses:**
 $a = b[i]$ $a[i] = b$
- **Field accesses:**
 $a = b[f]$ $a[f] = b$
- **Memory allocation** instruction:
 $a = \text{alloc}(\text{size})$
 - Sometimes left out (e.g., malloc is a procedure in C)

Array operations

$x := y[i]$

$t1 := \&y$; $t1 = \text{address-of } y$

$t2 := t1 + i$; $t2 = \text{address of } y[i]$

$x := *t2$; loads the value located at $y[i]$

$x[i] := y$

$t1 := \&x$; $t1 = \text{address-of } x$

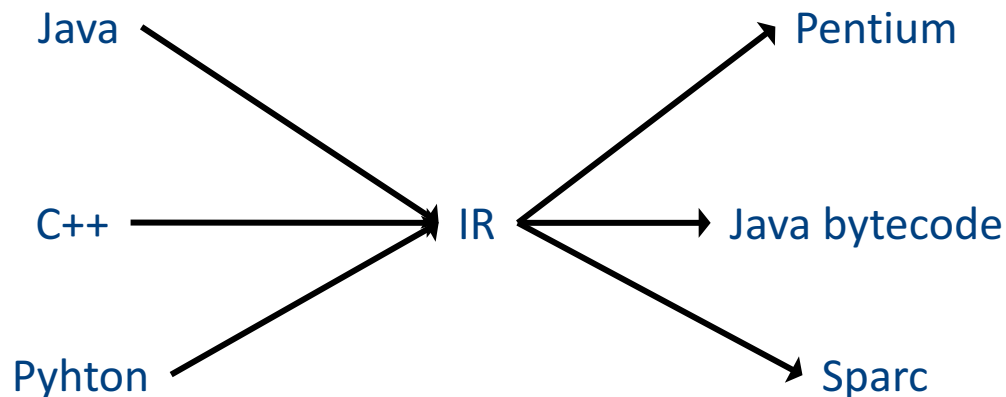
$t2 := t1 + i$; $t2 = \text{address of } x[i]$

$*t2 := y$; store through pointer

IR Summary

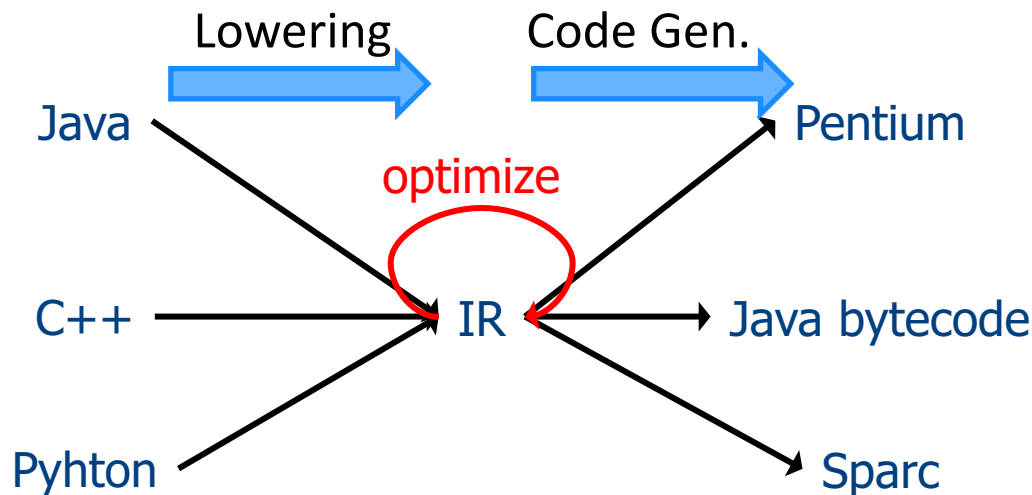
Intermediate representation

- A language that is between the source language and the target language – not specific to any machine
- Goal 1: **retargeting compiler components for different source languages/target machines**



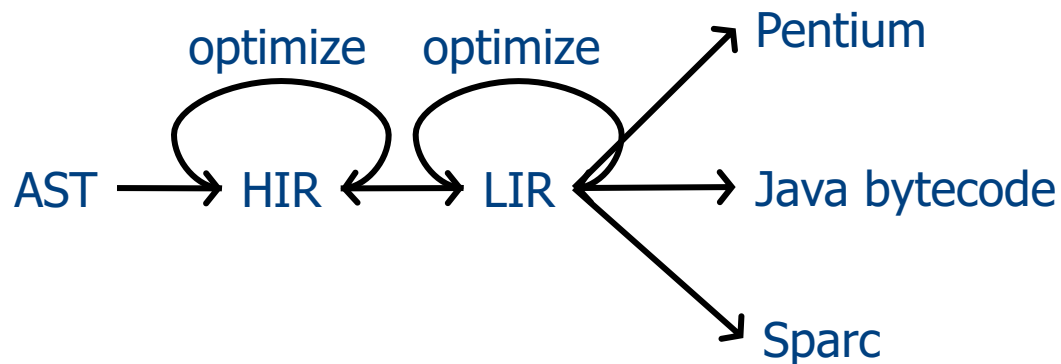
Intermediate representation

- A language that is between the source language and the target language – not specific to any machine
- Goal 1: retargeting compiler components for different source languages/target machines
- Goal 2: machine-independent optimizer
 - Narrow interface: small number of instruction types



Multiple IRs

- Some optimizations require high-level structure
- Others more appropriate on low-level code
- Solution: use multiple IR stages



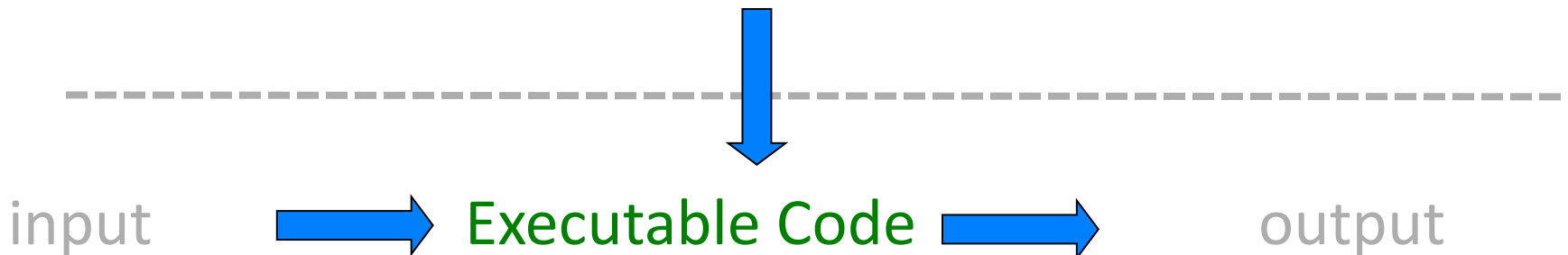
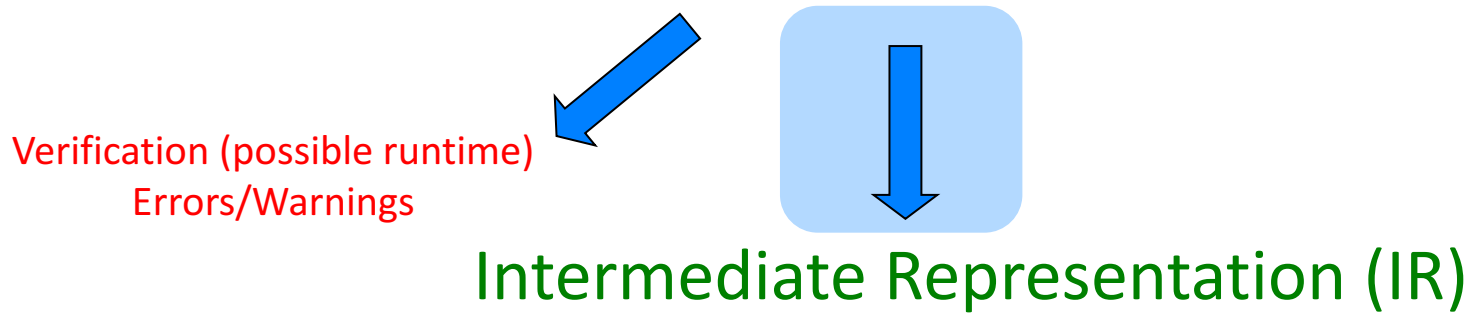
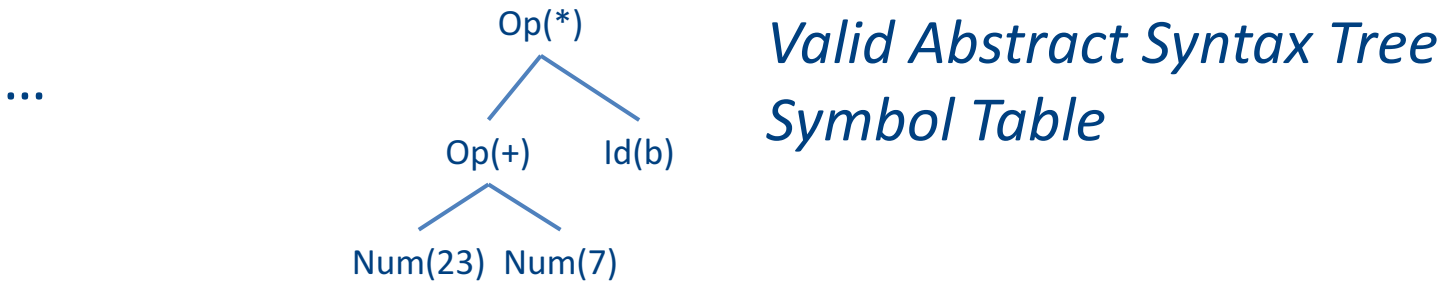
AST vs. LIR for imperative languages

AST	LIR
Rich set of language constructs	An abstract machine language
Rich type system	Very limited type system
Declarations: types (classes, interfaces), functions, variables	Only computation-related code
Control flow statements: if-then-else, while-do, break-continue, switch, exceptions	Labels and conditional/ unconditional jumps, no looping
Data statements: assignments, array access, field access	Data movements, generic memory access statements
Expressions: variables, constants, arithmetic operators, logical operators, function calls	No sub-expressions, logical as numeric, temporaries, constants, function calls – explicit argument passing

Lowering AST to TAC



IR Generation



TAC generation

- At this stage in compilation, we have
 - an AST
 - annotated with scope information
 - and annotated with type information
- To generate TAC for the program, we do recursive tree traversal
 - Generate TAC for any subexpressions or substatements
 - Using the result, generate TAC for the overall expression

TAC generation for expressions

- Define a function **cgen**(*expr*) that generates TAC that computes an expression, stores it in a temporary variable, then hands back the name of that temporary
 - Define **cgen** directly for atomic expressions (constants, this, identifiers, etc.)
- Define **cgen** recursively for compound expressions (binary operators, function calls, etc.)

cgen for basic expressions

```
cgen(k) = { // k is a constant  
    Choose a new temporary t  
    Emit( t = k )  
    Return t  
}
```

```
cgen(id) = { // id is an identifier  
    Choose a new temporary t  
    Emit( t = id )  
    Return t  
}
```

cgen for binary operators

```
cgen( $e_1 + e_2$ ) = {  
    Choose a new temporary  $t$   
    Let  $t_1 = \mathbf{cgen}(e_1)$   
    Let  $t_2 = \mathbf{cgen}(e_2)$   
    Emit(  $t = t_1 + t_2$  )  
    Return  $t$   
}
```

cgen example

```
cgen(5 + x) = {  
  Choose a new temporary t  
  Let  $t_1 = \mathbf{cgen}(5)$   
  Let  $t_2 = \mathbf{cgen}(x)$   
  Emit(  $t = t_1 + t_2$  )  
  Return t  
}
```

cgen example

```
cgen(5 + x) = {  
  Choose a new temporary t  
  Let  $t_1 = \{$   
    Choose a new temporary t  
    Emit(  $t = 5;$  )  
    Return t  
  }  
  Let  $t_2 = \mathbf{cgen}(x)$   
  Emit(  $t = t_1 + t_2$  )  
  Return t  
}
```

cgen example

```
cgen(5 + x) = {
```

```
  Choose a new temporary  $t$ 
```

```
  Let  $t_1 = \{$ 
```

```
    Choose a new temporary  $t$ 
```

```
    Emit(  $t = 5;$  )
```

```
    Return  $t$ 
```

```
  }
```

```
  Let  $t_2 = \{$ 
```

```
    Choose a new temporary  $t$ 
```

```
    Emit(  $t = x;$  )
```

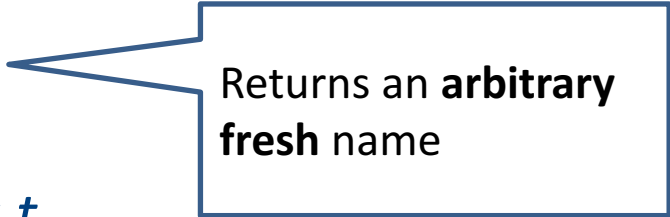
```
    Return  $t$ 
```

```
  }
```

```
  Emit(  $t = t_1 + t_2;$  )
```

```
  Return  $t$ 
```

```
}
```



Returns an **arbitrary**
fresh name

```
t1 = 5;
```

```
t2 = x;
```

```
t = t1 + t2;
```


cgen example

```
cgen(5 + x) = {
```

```
  Choose a new temporary  $t$ 
```

```
  Let  $t_1 = \{$ 
```

```
    Choose a new temporary  $t$ 
```

```
    Emit(  $t = 5;$  )
```

```
    Return  $t$ 
```

```
  }
```

```
  Let  $t_2 = \{$ 
```

```
    Choose a new temporary  $t$ 
```

```
    Emit(  $t = x;$  )
```

```
    Return  $t$ 
```

```
  }
```

```
  Emit(  $t = t_1 + t_2;$  )
```

```
  Return  $t$ 
```

```
}
```

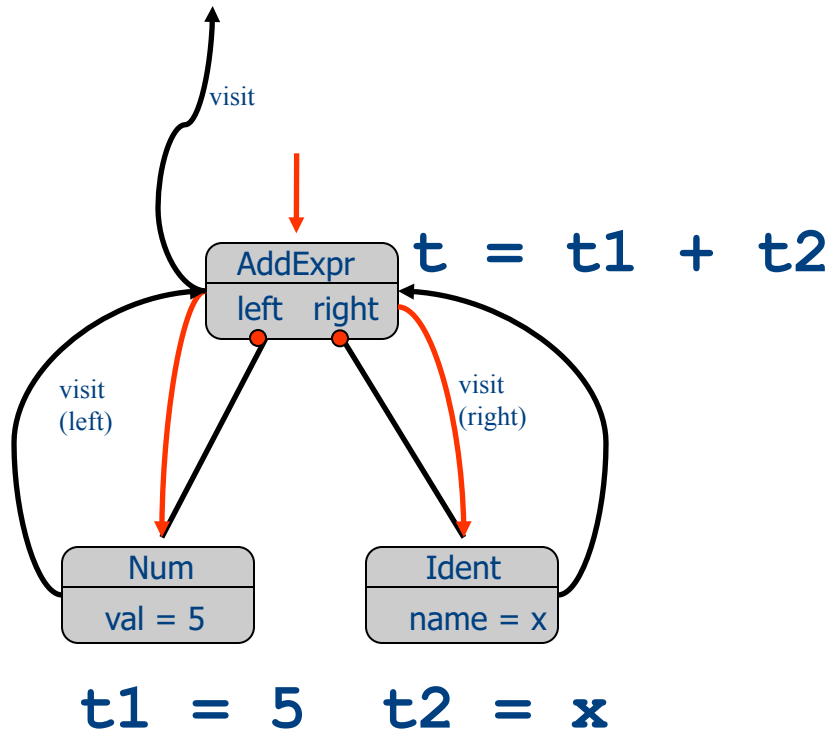
Returns an **arbitrary fresh** name

```
_t18 = 5;  
_t29 = x;  
_t6 = _t18 + _t29;
```

Inefficient translation, but we will improve this later

cgen as recursive AST traversal

cgen(5 + x)



`t1 = 5;`

`t2 = x;`

`t = t1 + t2;`

Naive **cgen** for expressions

- Maintain a counter for temporaries in **c**
- Initially: **c = 0**
- **cgen**($e_1 \text{ op } e_2$) = {
 Let **A** = **cgen**(e_1)
 c = c + 1
 Let **B** = **cgen**(e_2)
 c = c + 1
 Emit(**_tc** = $A \text{ op } B$;)
 Return **_tc**
}

Example

`cgen((a*b)-d)`

Example

$c = 0$

`cgen((a*b)-d)`

Example

`c = 0`

```
cgen( (a*b)-d) = {  
  Let A = cgen(a*b)  
  c = c + 1  
  Let B = cgen(d)  
  c = c + 1  
  Emit( _tc = A - B; )  
  Return _tc  
}
```

Example

`c = 0`

`cgen((a*b)-d) = {`

`Let A = {`

`Let A = cgen(a)`

`c = c + 1`

`Let B = cgen(b)`

`c = c + 1`

`Emit(_tc = A * B;)`

`Return tc`

`}`

`c = c + 1`

`Let B = cgen(d)`

`c = c + 1`

`Emit(_tc = A - B;)`

`Return _tc`

`}`

Example

Code

`c = 0`

`cgen((a*b)-d) = {`

`Let A = {`

here A=_t0

`Let A = { Emit(_tc = a;), return _tc }`

`c = c + 1`

`Let B = { Emit(_tc = b;), return _tc }`

`c = c + 1`

`Emit(_tc = A * B;)`

`Return _tc`

`}`

`c = c + 1`

`Let B = { Emit(_tc = d;), return _tc }`

`c = c + 1`

`Emit(_tc = A - B;)`

`Return _tc`

`}`



Example

c = 0

cgen((a*b)-d) = {

Let A = {

here A=_t0

Let A = { Emit(_tc = a;), return _tc }

c = c + 1

Let B = { Emit(_tc = b;), return _tc }

c = c + 1

Emit(_tc = A * B;)

Return _tc

}

c = c + 1

Let B = { Emit(_tc = d;), return _tc }

c = c + 1

Emit(_tc = A - B;)

Return _tc

}

Code

_t0=a;



Example

`c = 0`

`cgen((a*b)-d) = {`

`Let A = {`

here A=_t0

`Let A = { Emit(_tc = a;), return _tc }`

`c = c + 1`

`Let B = { Emit(_tc = b;), return _tc }`

`c = c + 1`

`Emit(_tc = A * B;)`

`Return _tc`

`}`

`c = c + 1`

`Let B = { Emit(_tc = d;), return _tc }`

`c = c + 1`

`Emit(_tc = A - B;)`

`Return _tc`

`}`

Code

`_t0=a;`

`_t1=b;`



Example

`c = 0`

`cgen((a*b)-d) = {`

`Let A = {`

here A = `_t0`

`Let A = { Emit(_tc = a;), return _tc }`

`c = c + 1`

`Let B = { Emit(_tc = b;), return _tc }`

`c = c + 1`

`Emit(_tc = A * B;)`

`Return _tc`

`}`

`c = c + 1`

`Let B = { Emit(_tc = d;), return _tc }`

`c = c + 1`

`Emit(_tc = A - B;)`

`Return _tc`

`}`

Code

`_t0=a;`

`_t1=b;`

`_t2=_t0*_t1`



Example

`c = 0`

`cgen((a*b), d) = {`

`Let A = {`

`Let A = { Emit(_tc = a;), return _tc }`

`c = c + 1`

`Let B = { Emit(_tc = b;), return _tc }`

`c = c + 1`

`Emit(_tc = A * B;)`

`Return _tc`

`}`

`c = c + 1`

`Let B = { Emit(_tc = d;), return _tc }`

`c = c + 1`

`Emit(_tc = A - B;)`

`Return _tc`

`}`

here A=_t2

here A=_t0

Code

`_t0=a;`

`_t1=b;`

`_t2= _t0* _t1`



Example

c = 0

cgen((a*b), d) = {

Let A = {

Let A = { Emit(_tc = a;), return _tc }

c = c + 1

Let B = { Emit(_tc = b;), return _tc }

c = c + 1

Emit(_tc = A * B;)

Return _tc

}

c = c + 1

Let B = { Emit(_tc = d;), return _tc }

c = c + 1

Emit(_tc = A - B;)

Return _tc

}

here A=_t2

here A=_t0

Code

_t0=a;

_t1=b;

_t2=_t0*_t1

_t3=d;



Example

c = 0

cgen((a*b), d) = {

Let A = {

Let A = { Emit(_tc = a;), return _tc }

c = c + 1

Let B = { Emit(_tc = b;), return _tc }

c = c + 1

Emit(_tc = A * B;)

Return _tc

}

c = c + 1

Let B = { Emit(_tc = d;), return _tc }

c = c + 1

Emit(_tc = A - B;)

Return _tc

}

here A=_t2

here A=_t0

Code

_t0=a;

_t1=b;

_t2=_t0*_t1

_t3=d;

_t4=_t2-_t3



cgen for statements

- We can extend the **cgen** function to operate over statements as well
- Unlike **cgen** for expressions, **cgen** for statements does not return the name of a temporary holding a value.
 - *(Why?)*

cgen for simple statements

```
cgen(expr;) = {  
    cgen(expr)  
}
```


cgen for if-then-else

cgen(if (e) s_1 else s_2)

Let $_t$ = **cgen**(e)

Let L_{true} be a new label

Let L_{false} be a new label

Let L_{after} be a new label

Emit(IfZ $_t$ Goto L_{false} ;)

cgen(s_1)

Emit(Goto L_{after} ;)

Emit(L_{false} :)

cgen(s_2)

Emit(Goto L_{after} ;)

Emit(L_{after} :)

cgen for **while** loops

cgen(while (*expr*) *stmt*) Let L_{before} be a new label.
Let L_{after} be a new label.
Emit(L_{before} :)
Let $t = \mathbf{cgen}(\text{expr})$
Emit(IfZ t Goto L_{after} ;)
cgen(*stmt*)
Emit(Goto L_{before} ;)
Emit(L_{after} :)

cgen for short-circuit disjunction

cgen(e1 || e2)

Emit(_t1 = 0; _t2 = 0;)

Let L_{after} be a new label

Let $_t1 = \mathbf{cgen}(e1)$

Emit(IfNZ $_t1$ Goto L_{after})

Let $_t2 = \mathbf{cgen}(e2)$

Emit($L_{\text{after}}:$)

Emit($_t = _t1 \ || \ _t2;$)

Return $_t$

Our first optimization



Naive **cgen** for expressions

- Maintain a counter for temporaries in **c**
- Initially: **c = 0**
- **cgen**($e_1 \text{ op } e_2$) = {
 Let **A** = **cgen**(e_1)
 c = c + 1
 Let **B** = **cgen**(e_2)
 c = c + 1
 Emit(**_tc** = $A \text{ op } B$;)
 Return **_tc**
}

Naïve translation

- **cgen** translation shown so far very inefficient
 - Generates (too) many temporaries – one per sub-expression
 - Generates many instructions – at least one per sub-expression
- Expensive in terms of running time and space
- Code bloat

- We can do much better ...

Naive **cgen** for expressions

- Maintain a counter for temporaries in **c**
- Initially: **c = 0**
- **cgen**($e_1 \text{ op } e_2$) = {
 Let **A** = **cgen**(e_1)
 c = c + 1
 Let **B** = **cgen**(e_2)
 c = c + 1
 Emit(**_tc** = $A \text{ op } B$;)
 Return **_tc**
}
- **Observation: temporaries in **cgen**(e_1) can be reused in **cgen**(e_2)**

Improving **cgen** for expressions

- Observation – naïve translation needlessly generates temporaries for leaf expressions
- **Observation – temporaries used exactly once**
 - **Once a temporary has been read it can be reused for another sub-expression**
- **cgen**($e_1 \text{ op } e_2$) = {
 Let $_t1$ = **cgen**(e_1)
 Let $_t2$ = **cgen**(e_2)
 Emit($_t = _t1 \text{ op } _t2$;)
 Return t
}
- Temporaries **cgen**(e_1) can be reused in **cgen**(e_2)

Sethi-Ullman translation

- Algorithm by Ravi Sethi and Jeffrey D. Ullman to emit optimal TAC
 - Minimizes number of temporaries
- Main data structure in algorithm is a stack of temporaries
 - Stack corresponds to recursive invocations of $_t = \mathbf{cgen}(e)$
 - All the temporaries on the stack are live
 - Live = contain a value that is needed later on

Live temporaries stack

- Implementation: use counter c to implement live temporaries stack
 - Temporaries $_t(0), \dots, _t(c)$ are alive
 - Temporaries $_t(c+1), _t(c+2)\dots$ can be (re)used
 - Push means increment c , pop means decrement c
- In the translation of $_t(c) = \mathbf{cgen}(e_1 \text{ op } e_2)$

$_t(c) = \mathbf{cgen}(e_1)$

----- $c = c + 1$

$_t(c) = \mathbf{cgen}(e_2)$

----- $c = c - 1$

$_t(c) = _t(c) \text{ op } _t(c+1)$

Using stack of temporaries example

```
_t0 = cgen( ((c*d)-(e*f))+(a*b) )
```

```
----- c = 0
```

```
_t0 = cgen( c*d ) - (e*f)
```

```
_t0 = c*d
```

```
----- c = c + 1
```

```
_t1 = e*f
```

```
----- c = c - 1
```

```
_t0 = _t0 - _t1
```

```
----- c = c + 1
```

```
_t1 = a*b
```

```
----- c = c - 1
```

```
_t0 = _t0 + _t1
```

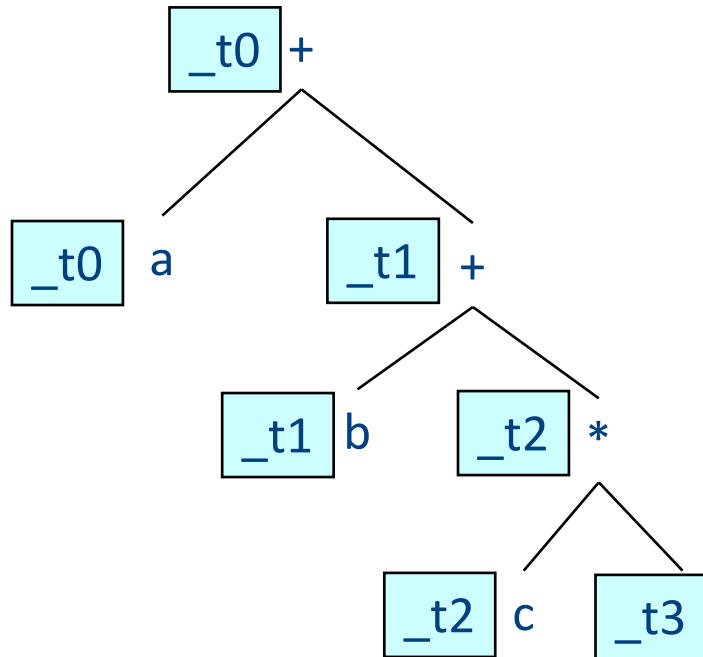
Weighted register allocation

- Suppose we have expression $e_1 \text{ op } e_2$
 - e_1, e_2 without side-effects
 - That is, no function calls, memory accesses, ++x
 - $\mathbf{cgen}(e_1 \text{ op } e_2) = \mathbf{cgen}(e_2 \text{ op } e_1)$
 - *Does order of translation matter?*
- Sethi & Ullman's algorithm translates heavier sub-tree first
 - Optimal local (per-statement) allocation for side-effect-free statements

Example

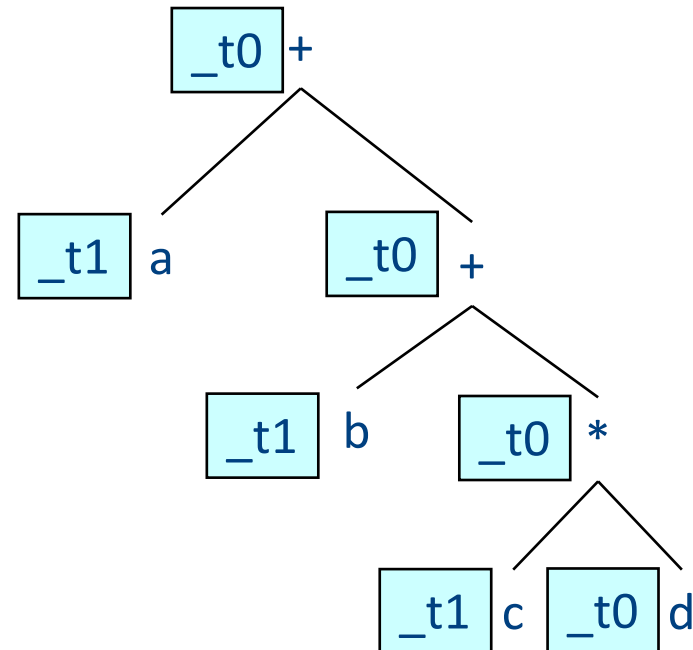
$_t0 = \text{cgen}(a+(b+(c*d)))$
*+ and * are commutative operators*

left child first



4 temporaries

right child first



2 temporary

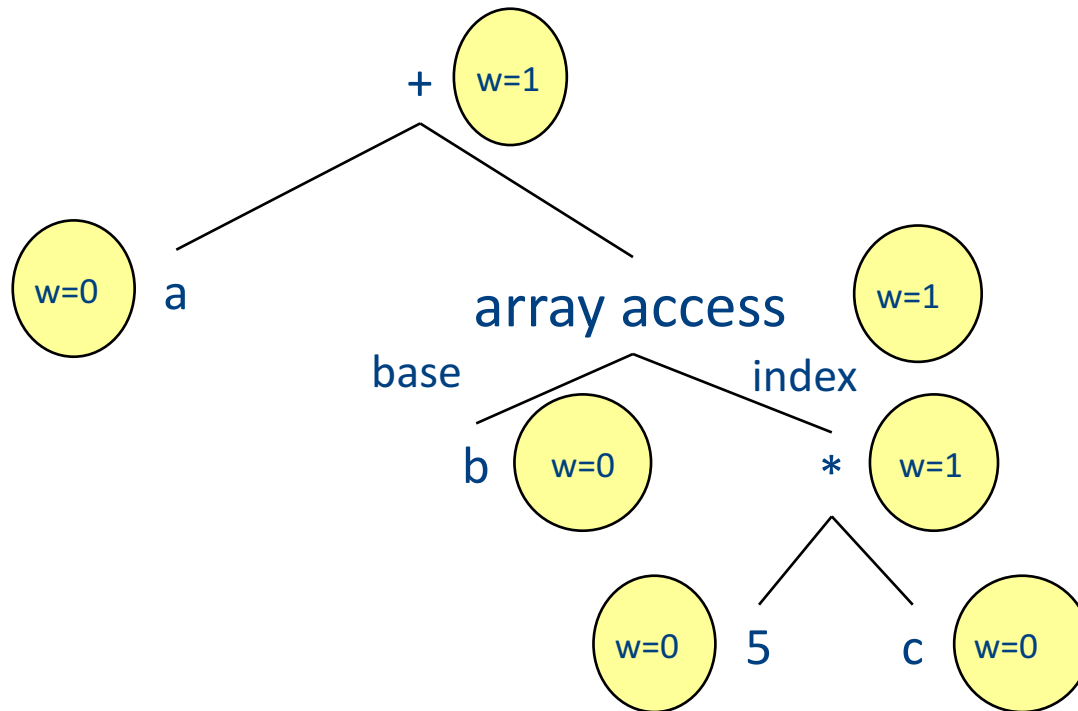
Weighted register allocation

- Can save registers by **re-ordering** subtree **computations**
- Label each node with its **weight**
 - Weight = number of registers needed
 - Leaf weight known
 - Internal node weight
 - $w(\text{left}) > w(\text{right})$ then $w = \text{left}$
 - $w(\text{right}) > w(\text{left})$ then $w = \text{right}$
 - $w(\text{right}) = w(\text{left})$ then $w = \text{left} + 1$
- Choose **heavier** child as first to be translated
- **WARNING:** have to check that no side-effects exist before attempting to apply this optimization
 - pre-pass on the tree

Weighted reg. alloc. example

`_t0 = cgen(a+b[5*c])`

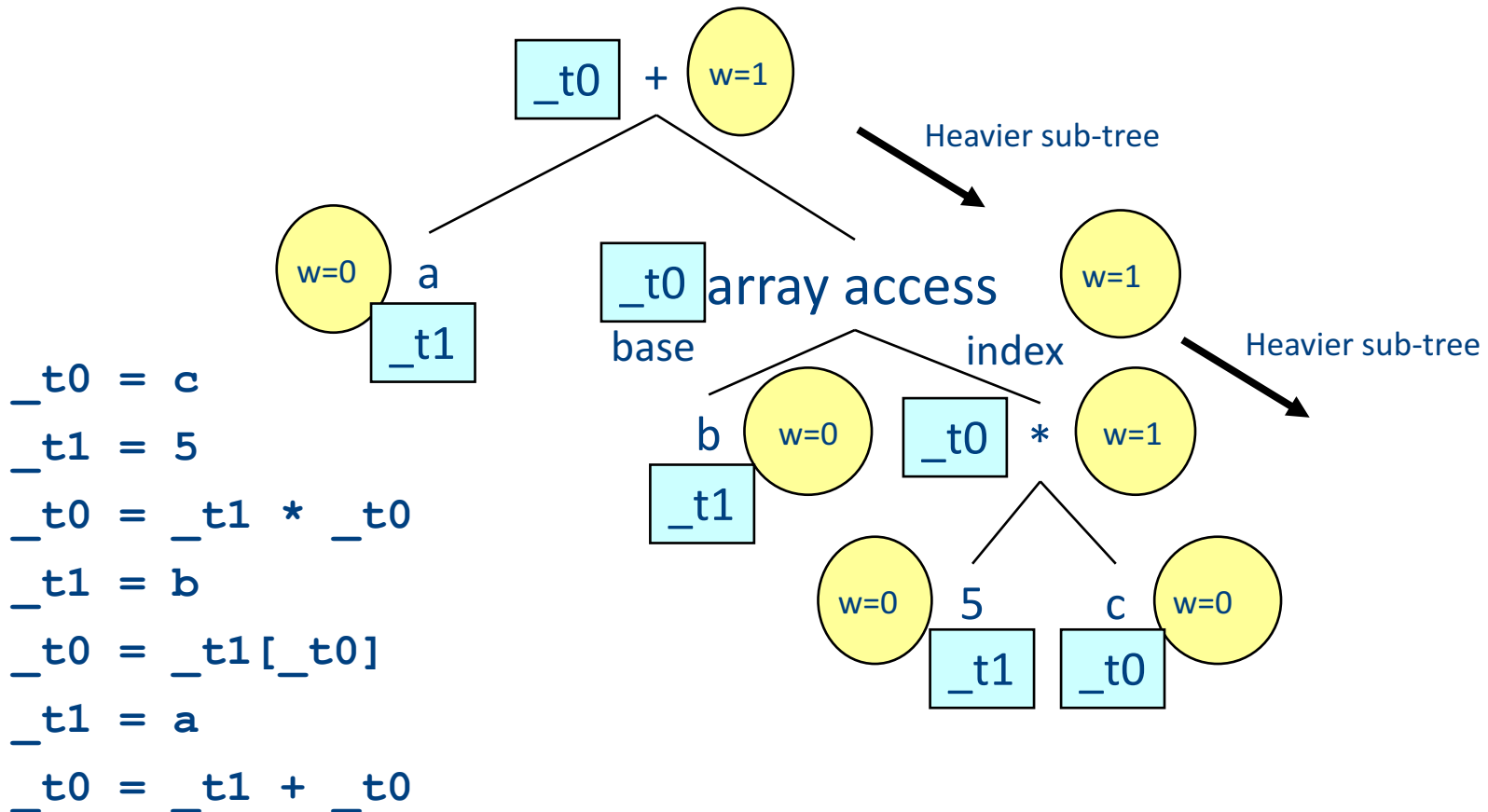
- Phase 1: - check absence of side-effects in expression tree
- assign weight to each AST node



Weighted reg. alloc. example

`_t0 = cgen(a+b[5*c])`

Phase 2: - use weights to decide on order of translation



Note on weighted register allocation

- **Must** reset temporaries counter after every statement: **x=y; y=z**

– should **not** be translated to

```
_t0 = y;  
x = _t0;  
_t1 = z;  
y = _t1;
```

– But rather to

```
_t0 = y;  
x = _t0; # Finished translating statement. Set c=0  
_t0 = z;  
y = _t0;
```

Code generation for procedure calls (+ a few words on the runtime system)



Code generation for procedure calls

- Compile time generation of code for procedure invocations
- Activation Records (aka Stack Frames)

Supporting Procedures

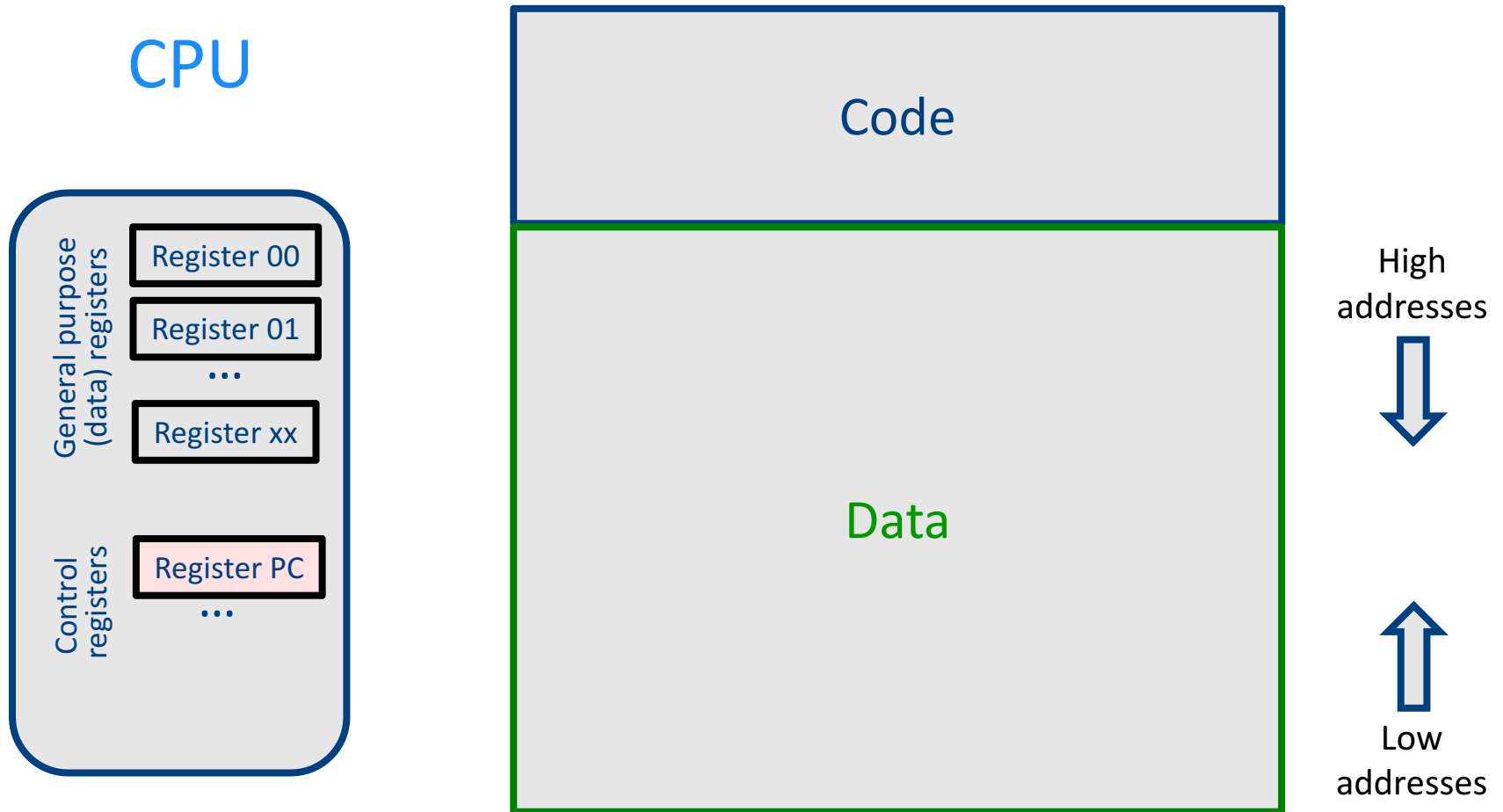
- **Stack**: a new computing environment
 - e.g., temporary memory for **local variables**
- Passing information into the new environment
 - **Parameters**
- **Transfer** of **control** to/from procedure
- Handling return values

Calling Conventions

- In general, compiler can use any convention to handle procedures
- In practice, CPUs specify standards
 - Aka calling conventios
 - Allows for compiler interoperability
 - Libraries!

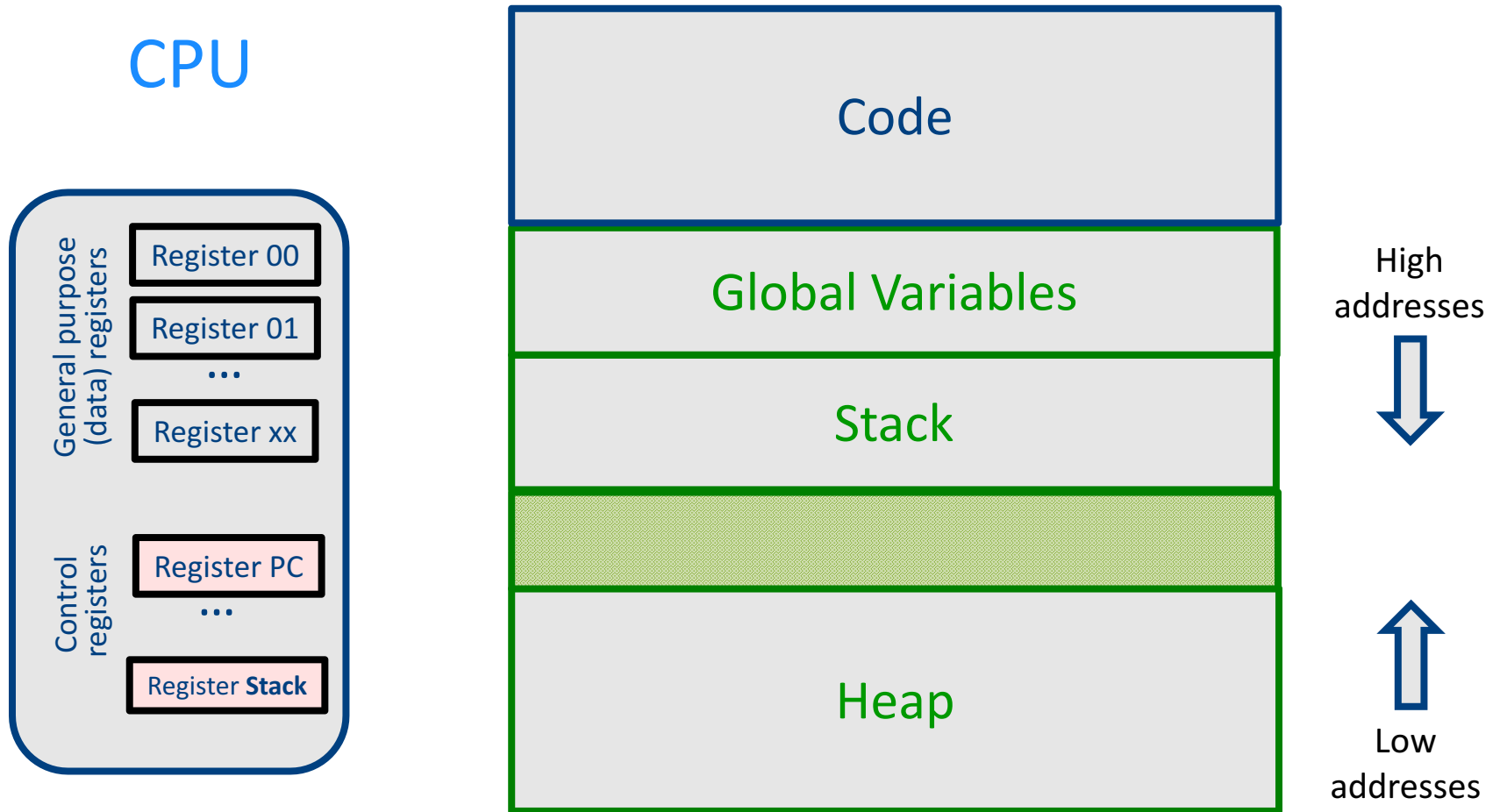
Abstract Register Machine

(High Level View)

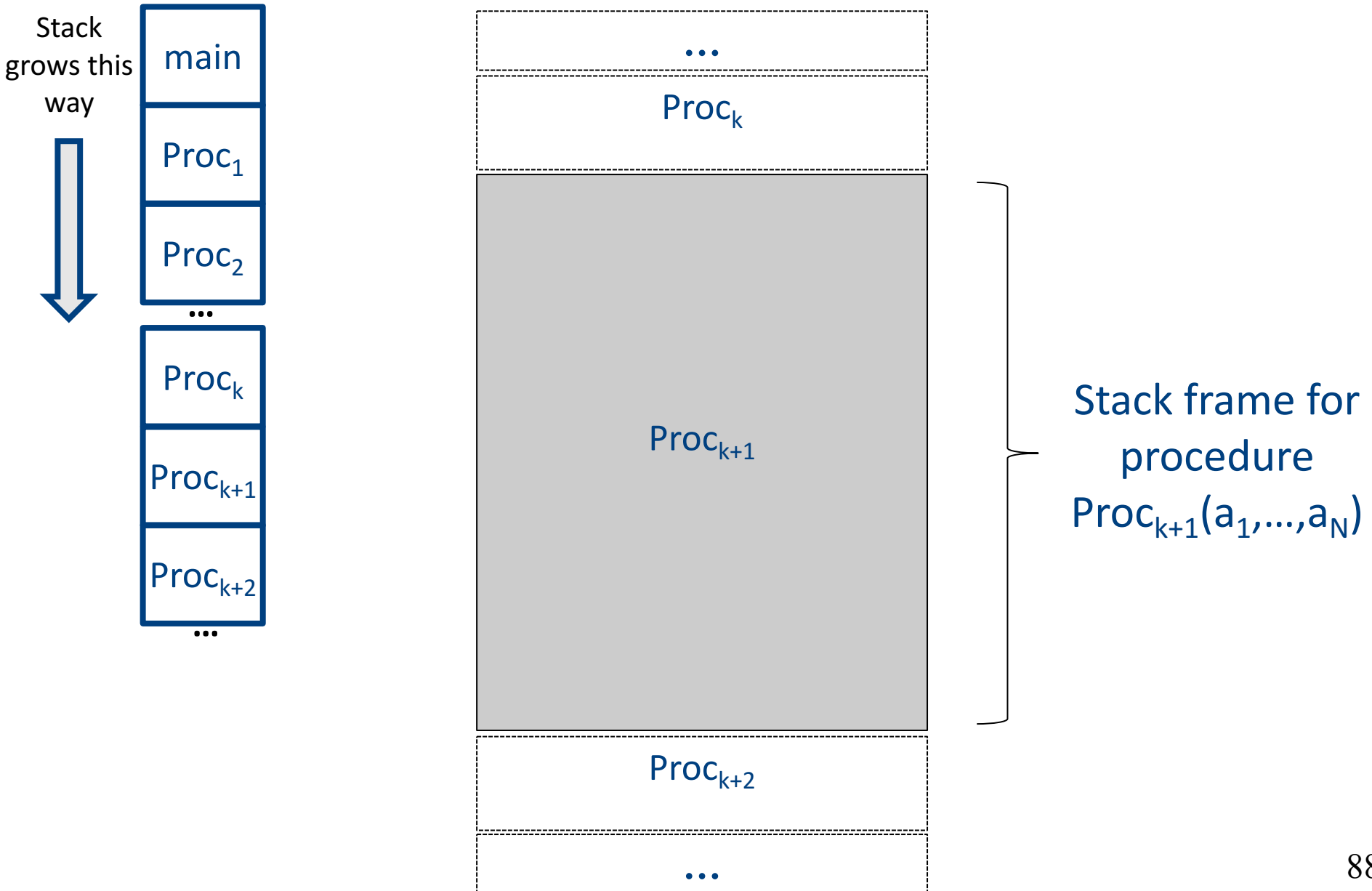


Abstract Register Machine

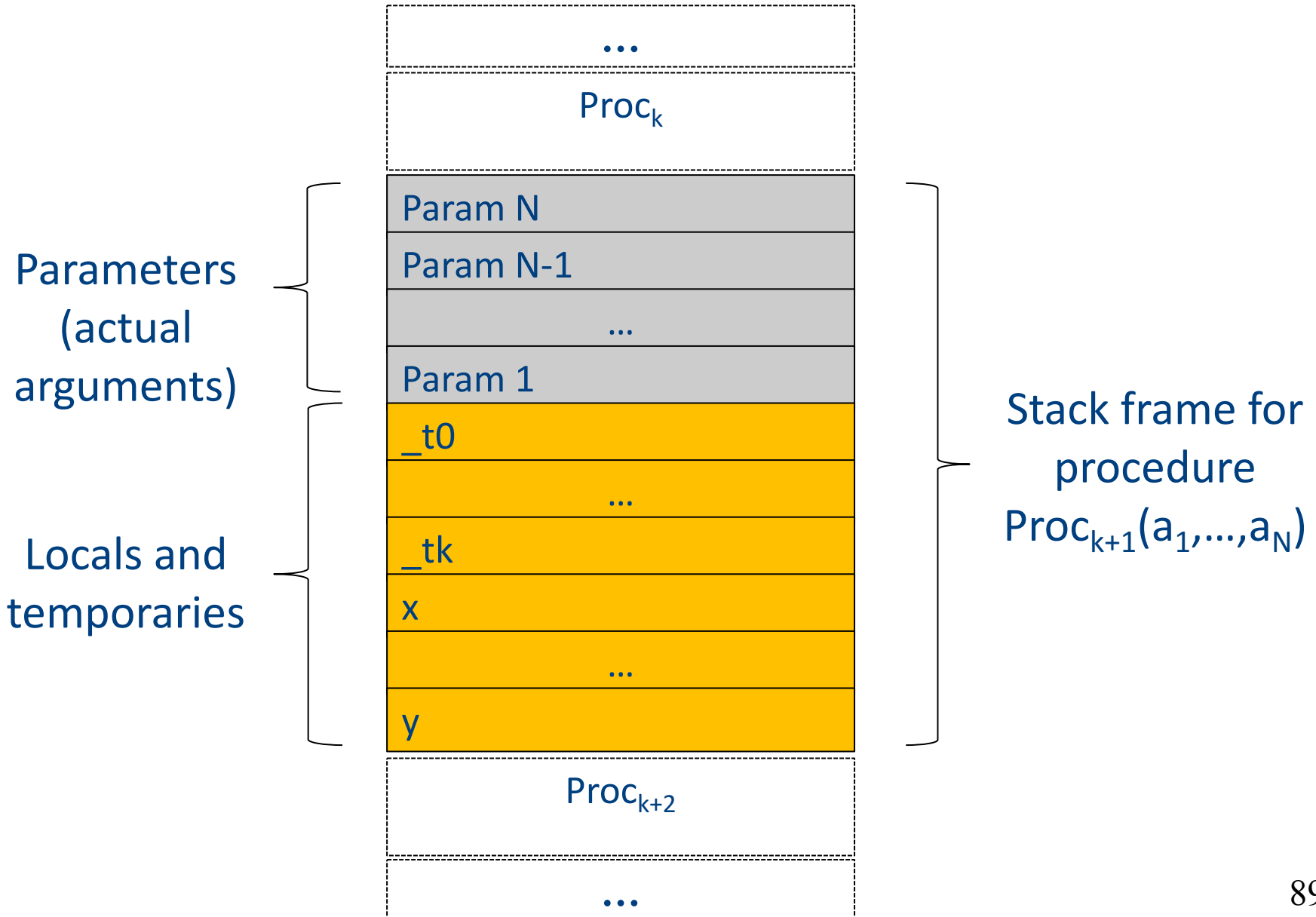
(High Level View)



Abstract Activation Record Stack



Abstract Stack Frame



Handling Procedures

- Store local variables/temporaries in a **stack**
- A function call instruction pushes arguments to stack and jumps to the function label

A statement **$x=f(a_1, \dots, a_n)$** ; looks like

Push a_1 ; ... Push a_n ;

Call f ;

Pop x ; // copy returned value

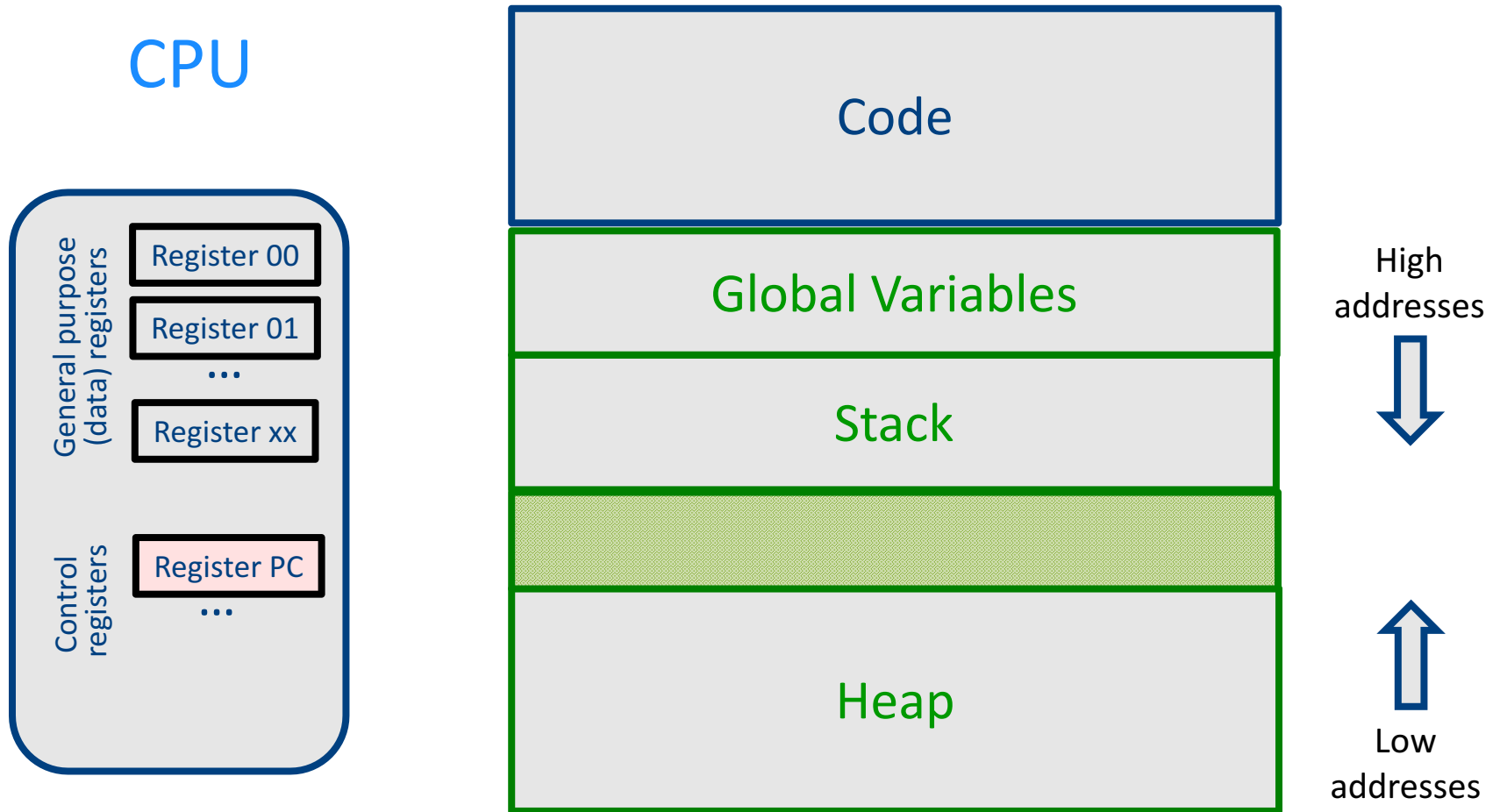
- Returning a value is done by pushing it to the stack (**return x ;**)

Push x ;

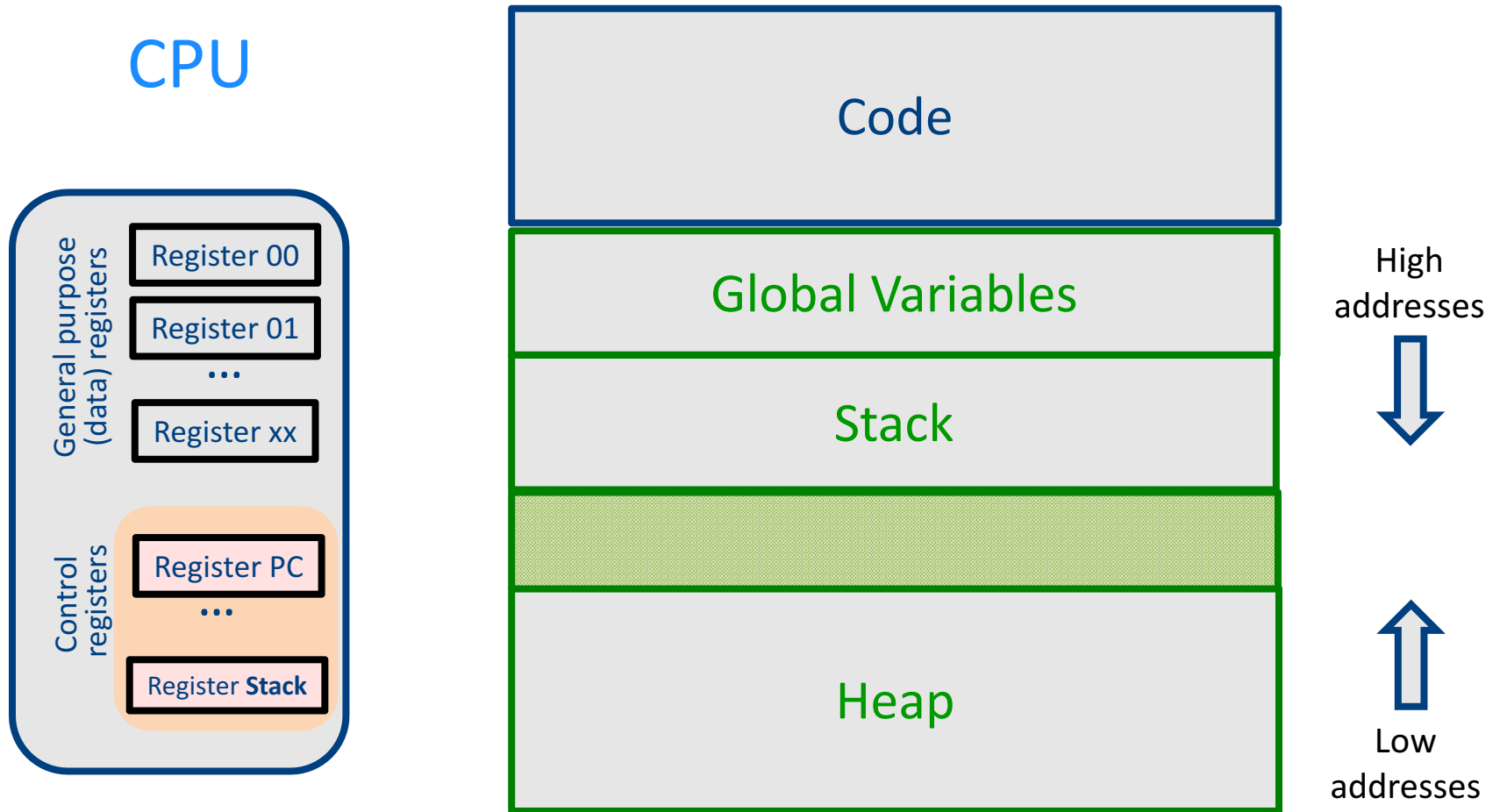
- Return control to caller (and roll up stack)

Return;

Abstract Register Machine



Abstract Register Machine



Intro: Functions Example

```
int SimpleFn(int z) {
    int x, y;
    x = x * y * z;
    return x;
}

void main() {
    int w;
    w = SimpleFunction(137);
}
```

```
_SimpleFn:
    _t0 = x * y;
    _t1 = _t0 * z;
    x = _t1;
    Push x;
    Return;

main:
    _t0 = 137;
    Push _t0;
    Call _SimpleFn;
    Pop w;
```

What Can We Do with Procedures?

- Declarations & Definitions
- Call & Return
- Jumping out of procedures
- Passing & Returning procedures as parameters

Design Decisions

- Scoping rules
 - Static scoping vs. dynamic scoping
- Caller/callee conventions
 - Parameters
 - Who saves register values?
- Allocating space for local variables

Static (lexical) Scoping

```
main ( )
{
    int a = 0 ;
    int b = 0 ;
    {
        int b = 1 ;
        {
            B2 int a = 2 ;
            printf ("%d %d\n", a, b)
        }
        B1 {
            B3 int b = 3 ;
            printf ("%d %d\n", a, b) ;
        }
        printf ("%d %d\n", a, b) ;
    }
    printf ("%d %d\n", a, b) ;
}
```

a name refers to
its (closest)
enclosing **scope**

**known at
compile time**

Declaration	Scopes
a=0	B0,B1,B3
b=0	B0
b=1	B1,B2
a=2	B2
b=3	B3

Dynamic Scoping

- Each identifier is associated with a global stack of bindings
- When entering scope where identifier is declared
 - push declaration on identifier stack
- When exiting scope where identifier is declared
 - pop identifier stack
- **Evaluating the identifier in any context binds to the current top of stack**
- **Determined at runtime**

Example

```
int x = 42;
```

```
int f() { return x; }
```

```
int g() { int x = 1; return f(); }
```

```
int main() { return g(); }
```

- What value is returned from main?
 - Static scoping?
 - Dynamic scoping?

Why do we care?

- We need to generate code to access variables
- Static scoping
 - Identifier binding is known at compile time
 - “Address” of the variable is known at compile time
 - Assigning addresses to variables is part of code generation
 - No runtime errors of “access to undefined variable”
 - Can check types of variables

Variable addresses for static scoping: first attempt

```
int x = 42;
```

```
int f() { return x; }
```

```
int g() { int x = 1; return f(); }
```

```
int main() { return g(); }
```

identifier	address
x (global)	0x42
x (inside g)	0x73